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NAVORD REPORT 1488 (Vol. 4)

HANDBOOK OF SUPERSONIC AERODYNAMICS

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WASHINGTON 25, D. C. NAVORD REPORT 1488 (Vol 4)

To all holders of NAVORD REPORT 1488 (Vol 4) insert change; write on cover 'Change 1 inserted' Approved by The Chief of the Bureau of Ordnance CHANGE 1

					RESEARCH	AND	DEVELOPMENT	DIVI	SION
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is changed as follows:

Pages HANDBOOK OF SUPERSONIC AERODYNAMICS

1. Insert this Change Sheet in the front of Volume 4.

- 2. On the pages indicated, make the following changes: Page 1201-5, Paragraph (c), Line 1 Insert the Greek letter arOmega between "of" and "that".
 - Page 1201-6, Paragraph (1), Line 3 Change the last word to "flutter".
 - (c) Page 1204.1-2, Line 8 Insert the bar over the right-hand side of the equation so as to make the equation read:

 $\zeta = \overline{(c_1^2 - 4 c_2)}$

- (d) Page 1204.11-1, Paragraph (a), Line 2 Insert the Greek Letter ${\it \Omega}$ between "parameter" and "and".
 - Page 1204.11-2, Paragraph 2, Line 2 Change 0.7 to 2.0.
- Page 1204.11-2, Paragraph 3, Line 4, Eq. 1204.11-4 In the equation for $C_{L,Q}$ change the second minus sign (-) to a plus sign (+), so as to read $C_{L\alpha} = -132.93679 + i 6.776163$.
 - (g) Page 1204.11-3, Equations 1204.11-9 In the equation for 4 ${\rm C_2}$ change 8.4258 to 8.4260. In the equations for C_1^2 - 4 C_2 and for ζ change 1.0735 to 1.0734. \checkmark In the equation for θ , change -29°2.74' to -29°2.9'.
 - (h) Page 1204.11-4, Paragraph 3, first sentence Change this sentence to read "Similar computations of $\omega_{o}^{b/a}$ (the reduced natural frequency k_{α} , and of g, have been completed for sixteen values of Ω , ranging from 0.2 to 2.0, and all of these values have been plotted (g vs k_{Ω}) in Figure 1204.11-1 for Mach number 1.4."

(i) Page 1204.11-5 (Figure 1204.11-1)

Change " g_{α} " to "g" in the ordinate designation; and add as legend in lower right-hand corner of grid:

$$g_{\lambda} = g_{\alpha} \equiv g$$

$$m/\pi pb^{2} = 100.0$$

$$I_{\alpha}^{\prime}/\pi pb^{4} = 16.67$$

$$\omega_{h}/\omega_{\alpha} = 0.700$$

$$r = 0$$

$$x_{\alpha} = 0$$

(j) Page 1206-2, Equation 1206-4

In the equation for A_{31} , change the exponent in the third term from 4 to 3 so as to make this equation read:

$$A_{31} = C_{Lh} \left(\frac{1}{2} + c\right) - C_{Mh} - \left(\frac{1+c}{2}\right)^3 \left(\frac{3}{2} C_{Lh}'' - C_{Mh}''\right)$$

In the equation for A₃₂, change the coefficients of the last two terms in the bracketed [] expression from $C_{L\alpha}^{"}$ to $C_{Mh}^{"}$ and from $C_{Lh}^{"}$ to $C_{L\alpha}^{"}$ respectively, so as to make the bracketed expression read:

$$\left[- \ C_{M\alpha}^{"} - \frac{3}{2} \ C_{Lh}^{"} \ \left(2 \ \frac{r + 1}{c + 1} - \frac{1}{2} \right) \right. + C_{Mh}^{"} \ \left(2 \ \frac{r + 1}{c + 1} - \frac{1}{2} \right) + \frac{3}{2} \ C_{L\alpha}^{"} \right]$$

HANDBOOK OF SUPERSONIC AERODYNAMICS



Compiled and edited under Bureau of Ordnance Contract NOrd 7386 by the Aerodynamics Handbook Staff of The Johns Hopkins University, Applied Physics Laboratory, Silver Spring, Maryland. The selection and technical editing of the material appearing in the Handbook are functions of a Reviewing Committee appointed by the Director of the Laboratory. The membership of this Committee is presently as follows: C. N. Warfield (Chairman), L. L. Cronvich, A. R. Eaton, Jr., G. M. Edelman, and F. K. Hill.

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HANDBOOK OF SUPERSONIC AERODYNAMICS

Volume 4

Preface

A general preface to the entire Handbook of Supersonic Aerodynamics appears in Volume 1; therefore, the present preface applies specifically to the present issue of this portion of Volume 4 only.

This volume, when completed, will contain the following sections: Section 9 - Mutual Interference Phenomena, Section 10 - Static Stability, Section 11 - Dynamic Stability, and Section 12 - Aeroelastic Phenomena. Section 12 only is being issued at this time; the remaining sections for Volume 4 will be issued when completed.

Since the publication of Volumes 1 and 2 the contents of future volumes in the Handbook Series has been changed in accordance with the outline set forth on page iii of this preface under the caption: "Contents of Future Volumes in the Handbook of Supersonic Aerodynamics Series."

The numbering system for Volume 4 is the same as that used in Volume 2.

Agencies and individuals interested in the aeronautical sciences should feel free to submit and recommend material for inclusion in the Handbook; full credit will be given for all such material used. In the selection of material and the preparation of the volumes in the Handbook Series, the Applied Physics Laboratory lays claim neither to omniscience nor to infallibility; therefore, it earnestly solicits constructive criticisms and suggestions. Correspondence relating to the editing of the Handbook Series should be sent to

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Applications and communications concerning distribution of the Handbook Series should be sent to

Bureau of Ordnance Department of the Navy Washington 25, D. C.

ABBREVIATED TABLE OF CONTENTS FOR PUBLISHED SECTIONS (arranged by volumes) OF THE

HANDBOOK OF SUPERSONIC AERODYNAMICS SERIES

VOLUME 1* (NAVORD REPORT 1488, Unclassified)

Section 1 - Symbols and Nomenclature

Section 2 - Fundamental Equations and Formulae

Section 3 - General Atmospheric Data

Section 4 - The Mechanics and Thermodynamics of Steady One-Dimensional Gas Flow

VOLUME 2* (NAVORD REPORT 1488, Unclassified)

Section 5 - Compressible Flow Tables and Graphs

VOLUME 4*(NAVORD REPORT 1488, Unclassified)

Section 12 - Aeroelastic Phenomena

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Volume 1 (Sections 1, 2, 3, and 4) (NAVORD REPORT 1488)......\$1.75 per copy Volume 2 (Section 5) (NAVORD REPORT 1488)......\$1.50 per copy

Volume 4 (Section 12) (NAVORD REPORT 1488)......\$1.25 per copy

CONTENTS OF FUTURE VOLUMES IN THE HANDBOOK OF SUPERSONIC AERODYNAMICS SERIES

VOLUME 3

Section 6	_	Two-Dimensional Airfoils
Section 7	_	Three-Dimensional Airfoils
Section 8	_	Solid and Ducted Bodies

VOLUME 4

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Section			Aeroelastic Phenomena

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Section	13	_	Viscosity Effects
Section	14	_	Heat Transfer
Section			Properties of Gases
Section	16	-	Mechanics of Rarefied Gases

VOLUME 6

			Ducts, Nozzles and Diffusers
			Free Jets
			Wind Tunnel Design and Instrumentation
			Measurement Techniques
Section	21	-	Miscellaneous Problems

^{*} Published herewith.

SECTION 12 - AEROELASTIC PHENOMENA

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HANDBOOK OF SUPERSONIC AERODYNAMICS
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Stability	Boundar	ies for	Single	e-Degree-of-Freedom	Torsional
Flutter i	for Zero	Damping	; (g ;	= 0)	

r = 0.0	1201-5a
$\mathbf{r} = -0.2$	1201-5h
r = -0.4	1201-5c
$\mathbf{r} = -0.6 \dots \dots \dots$	1201-5d
r = -0.8	1201-5e
r = -1.0	1201 5c
r = -1.2	1201 51 1201-5c

Roots of Equations Determining Stability Boundary for Binary Flexure-Torsion Flutter. Materiel Center Method. M = 1.4 . . . 1204.11-1

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SECTION 12 - AEROELASTIC PHENOMENA

The following symbols are used in the material appearing on pages 1200-1 to 1208.2-58 of Section 12:

Primary Symbols

a	velocity of sound (free stream), ft/sec
b	semi-chord length, ft
c	location of aileron hinge line measured from mid- chord point in fractions of the semi-chord (+ aft)
c_h	translational spring constant per unit span, (lbs/ft) / (ft span)
c_1, c_2, c_3	coefficients of determinantal equation
${\bf C_{Lh}}$	part of supersonic flutter aerodynamic force co- efficient due to vertical displacement of the wing quarter-chord axis only
$^{ extsf{C}}_{ extsf{L}lpha}$	part of supersonic flutter aerodynamic force coefficient due to rotational motion only
C _{Mh}	part of supersonic flutter aerodynamic moment co- efficient due to vertical displacement of the wing quarter-chord axis only
$\mathrm{c}_{\mathtt{M}lpha}$	part of supersonic flutter aerodynamic moment coefficient due to rotational motion only
$\mathbf{C_{Lh}^{'}}$	$\mathbf{C}_{\mathbf{L}\mathbf{h}}$ when using the reduced frequency of the aileron
$^{\mathtt{c'}_{\mathtt{L}lpha}}$	${ t C}_{{ t L}lpha}$ when using the reduced frequency of the aileron
C'Mh	$\mathbf{C}_{\mathbf{M}\mathbf{h}}$ when using the reduced frequency of the aileron
$c_{ ext{M}lpha}^{\star}$	${ t C}_{ t Mlpha}$ when using the reduced frequency of the aileron
C'' _{Lh}	${ m C}_{ m Lh}$ when using the reduced frequency of the wing forward of the aileron
$\mathtt{c}_{\mathbf{L}\alpha}^{"}$	$c_{Llpha}^{}$ when using the reduced frequency of the wing forward of the aileron
C'' _{Mh}	$\mathbf{C}_{\mathbf{M}\mathbf{h}}$ when using the reduced frequency of the wing forward of the aileron
$c_{Mlpha}^{"}$	$c_{ exttt{M}lpha}$ when using the reduced frequency of the wing forward of the aileron
$^{\mathrm{c}}{}_{lpha}$	torsional spring constant per unit span, (ft-lbs/rad)/(ft span)

$\mathbf{c}_{oldsymbol{eta}}$	torsional spring constant per unit span for aileron (ft-lbs/rad)/(ft span)
d	distance of elastic axis aft of quarter-chord line,
E	Young's modulus of elasticity
$\mathbf{E_e}$	elastic energy
$\mathbf{E}_{\mathbf{k}}$	kinetic energy
F	half the rate of energy dissipation
${f g}_{f h}$	structural translational damping factor
$^{\mathrm{g}}lpha$	structural torsional damping factor
$^{ extsf{g}}_{oldsymbol{eta}}$	structural torsional damping factor for aileron
G	shear modulus of elasticity
h	displacement of wing quarter-chord axis from the neutral position (+ downward), ft; also a general-ized displacement
h†	displacement of wing elastic axis from the neutral position (+ downward), ft
h _o	amplitude of h; also generalized amplitude of displacement
h'o	amplitude of h
i	complex operator, $\sqrt{-1}$
I	section moment of inertia, ft4
Ι' _α	moment of inertia of system about elastic axis per unit span, lb-ft-sec $^2/({\rm ft\ span})$
$\mathbf{I}_{oldsymbol{eta}}$	moment of inertia of aileron about hinge line per unit span, lb-ft-sec $^2/({\rm ft\ span})$
J	effective section polar moment of inertia, ft^4
k	reduced frequency, $\omega b/V$, non-dimensional $\left[= \Omega \left(M^2 - 1 \right) / 2M^2 \right]$
$^{ ext{k}}lpha$	reduced natural frequency in torsion, ω_{lpha} b/a
£	semi-span, ft
L	aerodynamic force per unit span, assumed at quarter- chord (+ downward, negative lift)#

The symbol L for aerodynamic force, as used in this section of the Handbook, for either primary or secondary concepts, is in the opposite direction to that of lift as customarily used in aerodynamics and as defined in Section 1 of this Handbook.

DYMDUIS FASC 1200-0	Symbols	Page	1200-3
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L_{g}	generalized aerodynamic force
L _h	part of aerodynamic force per unit span (L), assumed at quarter-chord point, due to various time derivatives of vertical displacement (h) of the wing quarter-chord axis
$^{ extsf{L}}\!lpha$	part of aerodynamic force per unit span (L), assumed at quarter-chord point, due to rotational displacement of the wing
$^{\mathrm{L}}_{\!eta}$	aerodynamic force due to aileron per unit span
m	mass of moving system per unit span
^m 1	mass of wing per unit span (m ₁ = m in most applications)
$^{ extsf{m}}_{oldsymbol{eta}}$	mass of aileron per unit span
M	Mach number (free stream), V/a; also moment per unit span (+ nose up)
м g .	generalized aerodynamic moment per unit span about elastic axis
M _h	part of aerodynamic moment per unit span (M) about the quarter-chord axis, due to vertical displacement (h) of the wing
$^{ ext{M}}_{lpha}$	part of aerodynamic moment per unit span (M) about the quarter-chord axis, due to rotational displacement of the wing
$^{ exttt{M}}_{oldsymbol{eta}}$	aerodynamic moment about hinge line due to the aileron
M '	aerodynamic moment per unit span, about the elastic axis
N	mechanical parameter, ${ m I}_{lpha}^{\prime}/\pi ho { m b}^4$, non-dimensional
r	location of wing elastic axis measured from wing mid-chord point as a fraction of the semi-chord (+ aft), non-dimensional
S	mass unbalance per unit span, mx_{α}^{b}
t	time, seconds
v	air velocity (free stream), ft/sec
^х а	distance of center of gravity chordwise from elastic axis as a fraction of the semi-chord (+ aft), non-dimensional
$x_{oldsymbol{eta}}$	distance of center of gravity of aileron, measured from aileron hinge line, in fraction of the semichord (+ aft)
у	distance along span from wing root
lpha	displacement of wing in rotation from the neutral position, radians/(ft span), (+ nose up)

$\alpha_{_{ m O}}$	displacement of wing in rotation from the neutral position, normalized in three-dimensional case, per unit span, radians
β	<pre>angle of aileron with respect to chord line of wing (+ trailing edge downward)</pre>
$\Delta_0, \Delta_1, \Delta_2, \Delta_3$	coefficients in the third order stability equation (see Subsection 1207)
ρ	air density
μ	Mach angle = arc sin $1/M$ $\left[: \cos^2 \mu = (M^2 - 1)/M^2 \right]$
ϕ_1 , ϕ_2 , ϕ_3	functions of y defining the shapes of vibration modes
ω	circular frequency of oscillation, radians/sec
$\omega_{ m h}$	uncoupled natural frequency in translation, $\sqrt{C_h/m}$, radians/sec
ω_{lpha}	uncoupled natural frequency in torsion, $\sqrt{C_{\alpha}/I_{\alpha}^{'}}$, radians/sec
$\omega_{oldsymbol{eta}}$	uncoupled natural frequency in torsion of aileron, $\sqrt{\frac{C_{\beta}}{I_{\beta}}}$, radians/sec
Ω	frequency parameter, = $2k/\cos^2 \mu = \left[2M^2/(M^2 - 1)\right] k$

Auxiliary Symbols

The bar over a symbol $(\bar{\ })$ denotes the real component of the complex quantity designated by the associated symbol.

The asterisk (*), used as a superscript, denotes the imaginary component of the complex quantity designated by the associated symbol.

The dot (') is used to denote differentiation with respect to time, thus $\dot{\alpha}$ = d α /dt and $\ddot{\alpha}$ = d $^2\alpha$ /dt 2 .

SECTION 12 - AEROELASTIC PHENOMENA

This section of the Handbook of Supersonic Aerodynamics was prepared at the Applied Physics Laboratory of The Johns Hopkins University, with the cooperation of the Bumblebee Committee on Aeroelasticity and Structural Dynamics. Members of this committee were as follows:

M. V. Barton - Defense Research Laboratory, University of Texas

C. W. Besserer - Applied Physics Laboratory, The Johns Hopkins University - Chairman

H. A. Cheilek - Cornell Aeronautical Laboratory

M. Dublin - Consolidated Vultee Aircraft Corporation

A. H. Flax - Cornell Aeronautical Laboratory

H. W. Pope - Consolidated Vultee Aircraft Corporation

T. K. Riggs* - Applied Physics Laboratory, The Johns Hopkins University - Secretary

The original draft of this section was prepared for the Committee by T. K. Riggs in accordance with the Committee's recommendations and suggestions. The final draft was prepared by C. N. Warfield who gratefully acknowledges the helpful comments and suggestions by the members of the Committee and by his colleagues, F. K. Hill, J. P. Kearns, R. M. Mains, and E. Shotland--and the helpful assistance of Mrs. Corine Carwile Bloss who checked many of the equations and the numerical results, computed the numerical example, and prepared the copy for the final graphs.

The tables of flutter coefficients which appear in this section were especially computed, under the supervision of E. C. Kennedy, at the Ordnance Aerophysics Laboratory on International Business Machines Corporation equipment for initial publication in this Handbook.

1200 Introduction

1200.1 General Scope of Section

In this section of the Handbook there are presented certain tables and graphs that may be used, on the basis of flutter considerations, in the design of guided missiles. In addition there is included here a brief treatment of certain theoretical aspects of flutter in the supersonic regime. This treatment includes a derivation of one of the equations for flutter of airfoils in supersonic flow, namely that for torsional flutter of a two-dimensional (infinite) wing.

The tables above referred to (Tables 1208.2) contain the real and imaginary parts of the supersonic force and moment flutter coefficients for airfoils. These flutter coefficients are equivalent to those originally defined by Borbely (Reference 12-1).

^{*} Presently employed by Engineering Research Associates, Inc.

These tables were computed by use of a recursion formula that was devised by E. C. Kennedy, and they are tabulated as a function of a frequency parameter (Ω) for each of several values of Mach number (M). The parameter (Ω) is related to the reduced frequency (k) and to the Mach num-

ber (M) by the equation $\Omega = \left[2\text{M}^2/(\text{M}^2-1)\right] k$, and a table based on this relationship is presented (Table 1208.1). The reduced frequency is the ratio between the circular frequency of oscillation (ω), in radians per second, and the number of times per second that the wing, due to its forward speed (V), traverses a distance equal to its semi-chord (b).

The tabular values for the flutter coefficients in the great majority of cases are believed to be accurate to within one in the last digit, and in no case is the tabulated value in error by more than two in the last digit. The Mach number range covered is from 1.1 to 12 while the value of Ω ranges from 0.01 to 20. The increments in both M and Ω are in general smaller than in existing similar tables. Because supersonic flutter computations sometimes involve relatively small differences of coefficients, these coefficients have been computed and tabulated in most cases to eight significant figures, although in many applications three or four digits will suffice.

Also included in this section are brief treatments of binary flutter (wing torsion and bending modes) and of ternary flutter (wing torsion, first-and second-bending modes, aileron and wing torsion and bending modes). Both two-dimensional (infinite span) and three-dimensional (finite span) airfoils are analyzed. Brief discussions are given of certain methods of solution for the higher order determinantal equations that appear in some of these analyses. A brief mention of the use of coupled and of uncoupled vibration modes in supersonic flutter is included.

For the purpose of familiarizing the non-specialist with the technique of flutter computations, this section includes a numerical example of an application of the supersonic flutter coefficients. This example is for two-dimensional binary flutter, and is based on the method presented in the Air Materiel Center report entitled "Application of Three-Dimensional Flutter Theory to Aircraft Structures" (Reference 12-2).

In addition to the list of cited references, there is included at the end of this subsection a bibliography of the more pertinent literature on supersonic flutter.

The effects of body motion and the flexibility of attachment of the wing are not discussed in this section since these effects are adequately covered in the literature on subsonic flutter (Reference 12-2). Finite span effects, resulting in a loss of lift force at the wing tip, are not taken into account; however, theoretical studies are available on this subject (References 12-3, 12-4, 12-5, 12-6 and 12-7). Empirical corrections may be used to account for tip effects with some degree of reliability.

The effect of sweepback on the fluctuating aerodynamic forces is somewhat more complicated than the effect on the static lift and moment coefficients for the same type of wing. These sweepback effects are discussed in Reference 12-3. It is possible to calculate the effects of sweepback on the elastic properties of a wing by the use of approximations, provided the aspect ratio is sufficiently high. Whenever a completed structure is available its elastic properties may be obtained from ground vibration tests.

1200.2 Basic Concepts

An airframe at rest on the ground in still air will respond to an impulse in one of three ways. Depending upon the amount of structural damping present it will either execute a series of periodic oscillations of diminishing amplitude, or return to its initial state of rest in the shortest possible time (critically damped), or return more slowly to a state of rest.

If the airframe at rest is subjected to a sinusoidal forcing function it will, after passing through a transient condition, settle into a steady-state vibratory motion with a frequency the same as that of the forcing function, and whose deflections and amplitude of vibration are determined by the applied frequency, as well as by the elastic, inertial, and damping characteristics of the airframe structure.

Since fluctuating aerodynamic forces result from oscillatory motions of an airframe, the response of an airframe to an impulse or sinusoidal forcing function will be determined by these fluctuating aerodynamic forces as well as by the characteristics of the airframe structure. If the phase relationship of the aerodynamic forces is such as to reinforce the motions producing them, then a condition of self-sustaining oscillation is possible. This condition gives rise to what is known as flutter. The flutter frequency is determined by the flight Mach number as well as by the structural characteristics of the airframe.

In flutter analyses computations are made for the critical flutter condition in which the amplitude of vibration tends to remain constant. When the amplitude of vibration increases the condition is considered unsafe; when the amplitude decreases it is considered safe.

The boundary between the safe and unsafe flutter conditions may be identified by investigating the equations of motion. An approximate measure of the margin of safety may be given by the value of the critical structural damping factor computed for the airfoil structure with the aid of the herein tabulated aerodynamic flutter coefficients. Then this value can be compared with the actual structural damping factor obtained experimentally by a vibration test, or by estimation based on experience. Or, the degree of safety from flutter may be estimated by considering the distance between the point on a suitable chart describing the known properties of the wing and the line on the same chart, based on the herein tabulated flutter coefficients, which designates the boundary between the "safe" and "unsafe" regions.

In flutter analyses the computations are based on the frequency, shape and phase relationship of certain vibration modes that are characteristic of the structure. Ideally, the principal* modes as they occur in flight under the aerodynamic conditions that exist during critical flutter oscillations would be used in these flutter analyses. Theoretically, in the case of three-dimensional bodies, there are an infinite number of possible vibration modes. For practical purposes, however, the deformation of an airframe during a state of critical flutter may be assumed to be a combination of the deflections due to the first two, three, or possibly four of the principal modes of vibration—these principal modes correspond to the lower frequencies at which the structure vibrates in resonance. Approximations to these desired modes may be obtained by analytical methods, or by measurements made on the airframe while vibrating either at rest on the ground in still air, or while in flight, or by other experimental means. Reference 12-8 demonstrates the feasibility of basing the analyses upon the actual coupled modes of vibration rather than upon the fictional uncoupled modes.

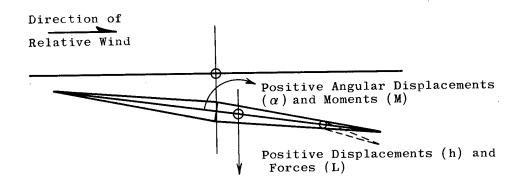
^{*} Sometimes referred to in the literature on flutter as the characteristic, natural, or normal (coupled) modes.

It has been found that flutter may occur in the torsional mode without the presence of a flexure component. This is because at certain frequencies and elastic axis positions the aerodynamic damping is negative, that is, the imaginary component of the aerodynamic moment acts in phase with the angular velocity so as to accelerate the wing in rotation rather than retard it. However, it has been shown that such pure torsional flutter cannot occur at Mach numbers greater than 1.58 (Reference 12-9) for slow oscillations, and the limiting Mach numbers for more rapid oscillations do not differ much from this slow oscillation value.

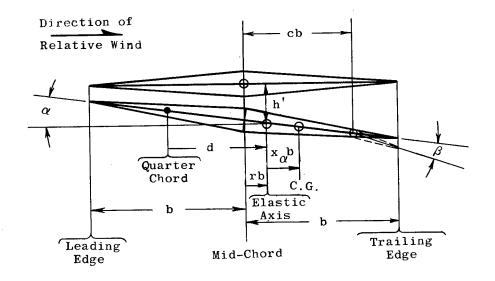
If an unswept wing were to oscillate in bending only, with no rotary motion, then the aerodynamic damping would always be positive, and no flutter involving this mode alone will occur.

1201 Two-Dimensional Torsional Flutter

When an airfoil oscillates in a torsional mode only, various moments about the axis of rotation are involved. For a unit span of the airfoil the elastic restoring moment will be $-\mathrm{C}_{\alpha}\alpha$ (cf. symbols list on pages 1200-1 and 1200-3, and Figure 1201-1), and the structural damping moment is represented as a fraction, g_{α} , of the elastic restoring moment, rotated in



a. Directions (The notation as to directions is the same as that of the NACA and the American Standards Association's "Letter Symbols for Aeronautical Sciences, Z-10.7, 1950")



b. Symbols

Figure 1201-1 TWO-DIMENSIONAL WING NOTATIONS

phase so as to lead the latter by 90 degrees. The resultant of these two moments may be represented by $-(1+ig_{\alpha})C_{\alpha}\alpha$, where i is the complex operator $\sqrt{-1}$. The inertial moment per unit span is expressed by $-I_{\alpha}^{'}\ddot{\alpha}$ ' and the aerodynamic moment per unit span about the elastic axis is represented here as M'. The sum of these moments is zero, and consequently the aerodynamic moment may be expressed by

$$M' = I'_{\alpha}\ddot{\alpha} + (1 + ig_{\alpha})C_{\dot{\alpha}}\alpha \qquad (1201-1)$$

Consider now the contribution to the aerodynamic moment M' about the elastic axis per unit span due to the rotational displacement α of the wing from the neutral position. If we let the positive aerodynamic force (that is, negative lift L_{α}), due to this angular displacement, act at a distance d forward of the elastic axis, and let M_{α} represent the aerodynamic pitching moment about the line passing through the point of application of the aerodynamic force L_{α} , it is obvious that such a rotational displacement contributes to the moment about the elastic axis an amount (see Figure 1201-2)

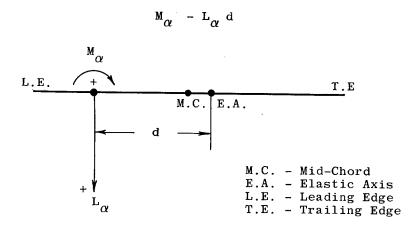


Figure 1201-2 FORCE AND MOMENT NOTATIONS

Likewise, in view of the effect of various time derivatives of displacement (h) of the wing quarter-chord axis which contribute \texttt{M}_h and \texttt{L}_h relative to the quarter-chord, it similarly follows that such a translatory displacement contributes to the moment about the elastic axis an amount

$$\mathbf{M}_{\mathbf{h}}$$
 - $\mathbf{L}_{\mathbf{h}}$ d

The total aerodynamic moment about the elastic axis, due to both rotational and translatory motions, is therefore

$$M' = (M_{\alpha} - L_{\alpha} d) + (M_{h} - L_{h} d)$$
 (1201-2)

Using aerodynamic force and moment flutter coefficients that are defined by

$$C_{Lh} = \frac{L_h}{\pi \rho b^2 \omega^2 h}$$

$$C_{L\alpha} = \frac{L_{\alpha}}{\pi \rho b^3 \omega^2 \alpha}$$

$$C_{Mh} = \frac{M_h}{\pi \rho b^3 \omega^2 h}$$

$$C_{M\alpha} = \frac{M_{\alpha}}{\pi \rho b^4 \omega^2 \alpha}$$
(1201-3)

one finds that Equation 1201-2 becomes

$$M' = \pi \rho b^{4} \omega^{2} \left[C_{M\alpha} \alpha - C_{L\alpha} \frac{d}{b} \alpha + C_{Mh} \frac{h}{b} - C_{Lh} \frac{hd}{b^{2}} \right]$$

$$(1201-4)$$

If, as is customary in subsonic flutter analyses, we assume the lift force to act at the quarter-chord point then

$$d = b \left(\frac{1}{2} + r\right)$$

and we find that Equation 1201-4 becomes

$$M' = \pi \rho b^{4} \omega^{2} \left[C_{M\alpha}^{\alpha} - C_{L\alpha}^{\alpha} \left(\frac{1}{2} + r \right) \alpha + C_{Mh}^{\alpha} \left(\frac{1}{2} + r \right) \frac{h}{d} - C_{Lh}^{\alpha} \left(\frac{1}{2} + r \right)^{2} \frac{h}{d} \right]$$
(1201-5)

(Note- This equation for two-dimensional flutter could have been obtained directly from the Borbely-Possio equation (1203-8) by using the relation h' = h + α d; cf. Figure 1201-3.)

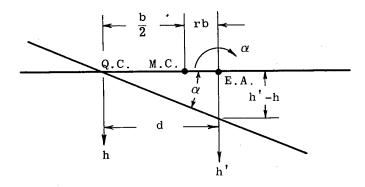


Figure 1201-3 DISPLACEMENT NOTATIONS

To transform the motion parameters from the quarter-chord axis to the elastic axis (see Figure 1201-3), let

$$h' = h + \alpha d \qquad (1201-6)$$

For the torsional mode only h' = 0; and therefore Equation 1201-6 reduces to

$$\frac{h}{d} = -\alpha \tag{1201-7}$$

Equation 1201-5 then becomes

$$M' = \pi \rho b^{4} \omega^{2} \alpha \left[C_{M\alpha} - C_{L\alpha} \left(\frac{1}{2} + r \right) - C_{Mh} \left(\frac{1}{2} + r \right) + C_{Lh} \left(\frac{1}{2} + r \right)^{2} \right]$$
(1201-8)

For harmonic oscillatory motion of rotation, we may write

$$\alpha = \alpha_0 e^{i\omega t} \tag{1201-9}$$

Differentiating α (Equation 1201-9) twice with respect to time, and substituting α and its second time derivative, and Equation 1201-8 into Equation 1201-1, and substituting $\omega_{\alpha}^{\ 2}$ for $\mathrm{C}_{\alpha}/\mathrm{I}_{\alpha}^{\ \prime}$, one obtains

$$\left(\frac{\omega_{\alpha}}{\omega}\right)^{2} (1 + ig_{\alpha}) - 1 + \frac{\pi \rho b^{4}}{I_{\alpha}^{*}} \left[- c_{M\alpha} - c_{Lh} \left(\frac{1}{2} + r\right)^{2} + c_{L\alpha} \left(\frac{1}{2} + r\right) + c_{Mh} \left(\frac{1}{2} + r\right) \right] = 0$$
 (1201-10)

(Note- This equation for two-dimensional torsional flutter could have been obtained from the more general determinantal equation for two-dimensional binary flexure-torsion flutter (Equation 1202-9), by equating the M_{22} + A_{22} element to zero, in which M_{22} and A_{22} are defined by Equations 1202-7 and 1202-10, respectively.)

For convenience, the real and imaginary parts of the aerodynamic coefficient term (i.e., the term included in the brackets) are represented hereafter by $\overline{^{A}}_{22}$ and $\overline{^{A*}_{22}}$ respectively, whence

$$\overline{A}_{22} = -\overline{C}_{M\alpha} - \overline{C}_{Lh} \left(\frac{1}{2} + r\right)^2 + \overline{C}_{L\alpha} \left(\frac{1}{2} + r\right) + \overline{C}_{Mh} \left(\frac{1}{2} + r\right)$$
and
$$A_{22}^* = -C_{M\alpha}^* - C_{Lh}^* \left(\frac{1}{2} + r\right)^2 + C_{L\alpha}^* \left(\frac{1}{2} + r\right) + C_{Mh}^* \left(\frac{1}{2} + r\right)$$
(1201-11)

The reason for the use of the subscript 22 will be apparent in the subsection on binary flutter, 1202. With this symbolism, Equation 1201-10 becomes

$$\left(\frac{\omega_{\alpha}}{\omega}\right)^{2}(1 + ig_{\alpha}) - 1 + \frac{\pi \rho b^{4}}{i_{\alpha}} \left(\overline{A}_{22} + iA_{22}^{*}\right) = 0$$
 (1201-12)

Equation 1201-12 may be written as two equations: one including only the real terms, and the other only the imaginary terms. When this is done and the substitution N = $I'_{\alpha}/\pi\rho b^4$ is made, the following equations may be obtained:

$$\left(\frac{\omega_{\alpha}}{\omega}\right)^{2} = 1 - \frac{\overline{A}_{22}}{N}$$
 (1201-13)

$$g_{\alpha} = \frac{-A_{22}^{*}}{N - A_{22}^{*}}$$
 (1201-14)

These equations for two-dimensional torsional flutter may be used for a quick survey of the flutter characteristics of a finite wing if one first obtains an approximate spanwise average value for each of the parameters involved, e.g. $I_{\alpha}^{\, \prime}$, b, r and ω_{α} . However, the use of such spanwise average values in the equations for two-dimensional torsional flutter obviously cannot be relied upon for precise results.

When values of ω and M, and therefore also of \overline{A}_{22} and A_{22}^* for a certain elastic axis location (r), are found which satisfy Equations 1201-13 and 1201-14, the conditions for borderline two-dimensional torsional flutter are defined for the conditions represented by the parameters $I_\alpha'/\pi\rho b^4$ and $\omega_\alpha b/a$. The latter term, $\omega_\alpha b/a$, is hereafter referred to as the "reduced natural frequency," k_α .

Several methods may be used to obtain significant data from these equations, two of which are described below.

Method 1. Computation of torsional damping factor \mathbf{g}_{α} .

(a) At each Mach number of interest, using the mechanical parameter N and the elastic axis location r of the wing, determine by means of Equation 1201-13, for a series of values of the frequency parameter Ω , the corresponding values of ω_{α} . Then the reduced natural frequency κ_{α} can be determined by

$$\mathbf{k}_{\alpha} = \mathbf{M}\mathbf{k} \left(\frac{\omega_{\alpha}}{\omega}\right) \tag{1201-15}$$

where k, the reduced frequency, is given by

$$\mathbf{k} = \Omega \left(\frac{\mathbf{M}^2 - 1}{2\mathbf{M}^2} \right)$$

- (b) Likewise, by means of Equation 1201-14, one can determine the values of \mathbf{g}_{α} corresponding to the same values of Ω that were used in (a), for the same combination of values of M, r, and N.
- (c) For each value of Ω that was used in parts (a) and (b) there has been obtained a pair of values of g_{α} and of k_{α} . These pairs of values can then be plotted as in Figures 1201-4a, b, c and d, which represent four combinations of fairly extreme values of r and of N. Of course, figures of this type can be prepared for any desired combination of values for r and N.

If the borderline damping factor \mathbf{g}_{α} thus determined is negative or less positive than the actual structural torsional damping factor for the structure, as determined by damped vibration test data, safety from flutter is indicated; if it is positive and greater than the experimental value, unsafe flutter is indicated.

Method 2. Computation, assuming the torsional damping factor \mathbf{g}_{α} is zero.

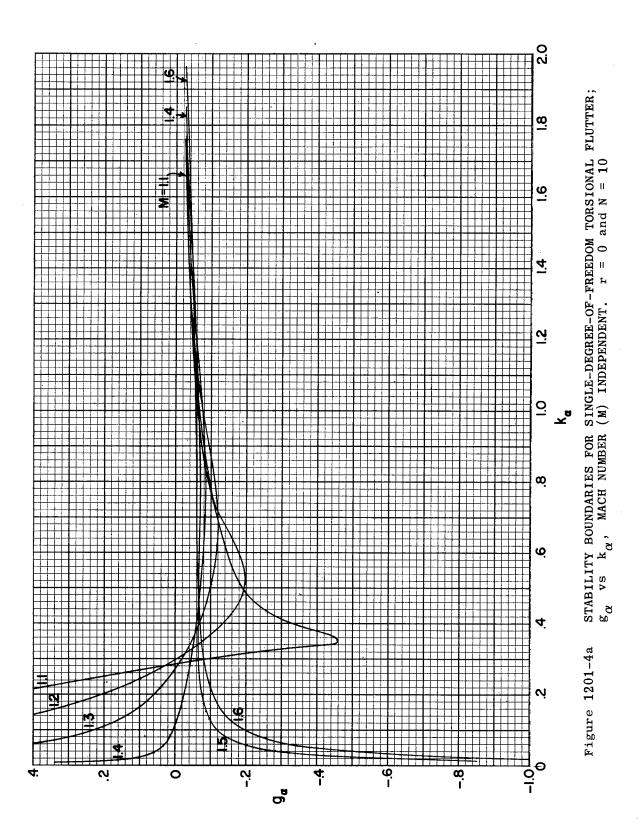
If one is interested in determining only a conservative indication of the flutter characteristic of the structure (that is, whether or not the structural parameters are such as to indicate no flutter even if the structural torsional damping factor \mathbf{g}_{α} is zero), then it is necessary to determine from Equations 1201-13 and 1201-14 what combinations of the several parameters correspond to the conservative condition represented by $\mathbf{g}_{\alpha}=0$. This has been computed for various practical ranges of the several parameters and the results are given in Figures 1201-5. The dashed portions of these curves represent extrapolated values only. In these figures regions above the curves are free from flutter, but below these curves the likelihood of flutter occurring increases with increasing distances. For example, with a structure for which r=0, N=20 and $\mathbf{k}_{\alpha}=0.25$, it is evident that flutter is probable only at Mach numbers between 1.133 and 1.311.

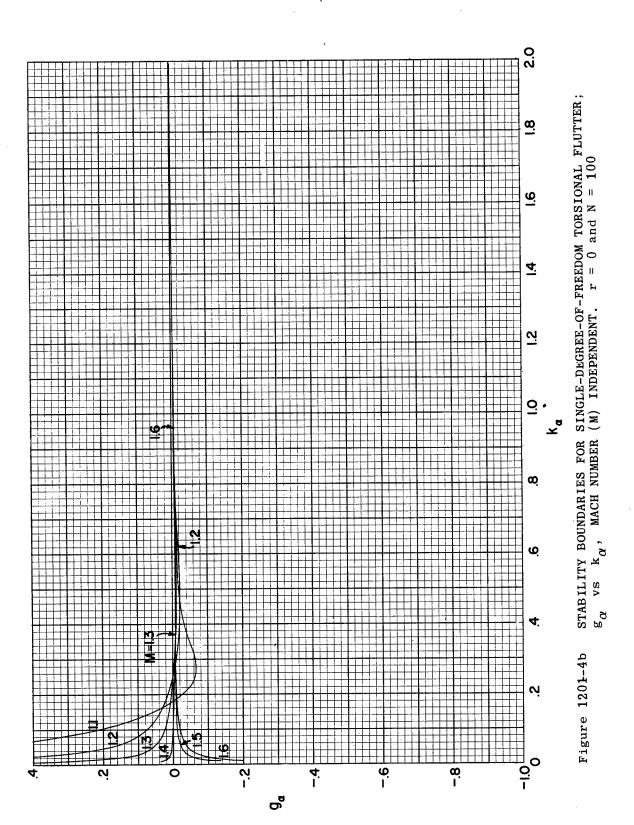
Other methods of obtaining and presenting results for single-degree-of-freedom (torsional) flutter are described in References 12--10 and 12--11.

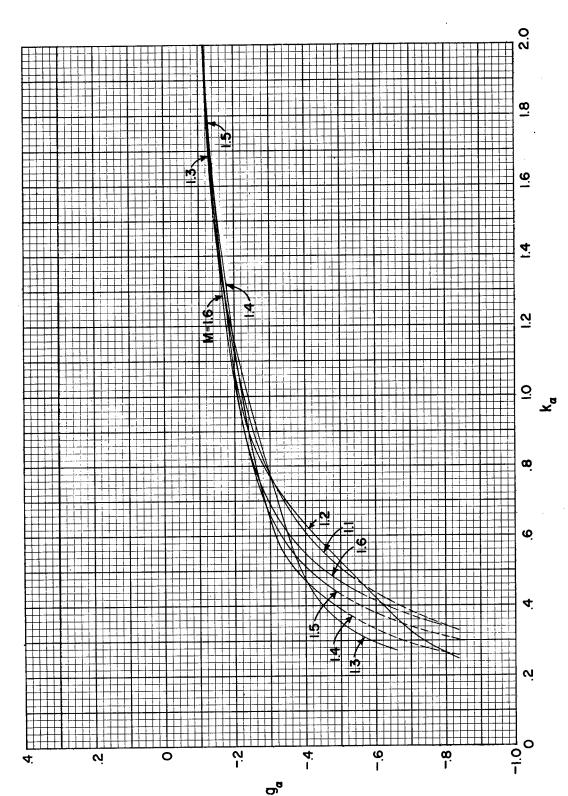
The following facts are important in making a decision as to whether or not an analysis for single-degree-of-freedom (torsional) flutter is adequate in any specific situation:

- (1) For elastic axis positions close to the mid-chord, static divergence (when second-order shift in aerodynamic center location is taken into account) may be more critical than torsional fultter.
- (2) At low supersonic Mach numbers the flow may be transonic in character, and the applicability of linearized supersonic aerodynamic forces used in these analyses would then be in doubt.
- (3) For (ω_h/ω_α) < 1, the binary flutter stability boundary will usually be more critical than these torsional ones.

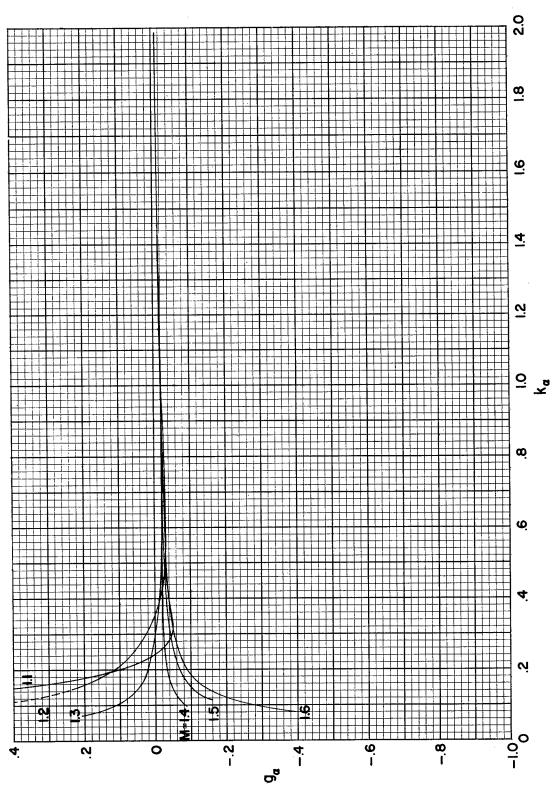
For binary flexure-torsion flutter an approximation can be obtained by the method described in Subsection 1202; and for actual finite wings more reliable results can be obtained by means of the equations for three-dimensional binary flexure-torsion flutter that are presented in Subsection 1203.







STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER; g $_{\alpha}$ vs $_{k}$, MACH NUMBER (M) INDEPENDENT. r = -1.2 and N = 10 Figure 1201-4c



SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER; (M) INDEPENDENT. ${\bf r}=-1.2~{\rm and}~{\rm N}=100$ STABILITY BOUNDARIES FOR g $_{\rm VS}$ $_{\rm VS}$ $_{\rm K}$, MACH NUMBER Figure 1201-4d

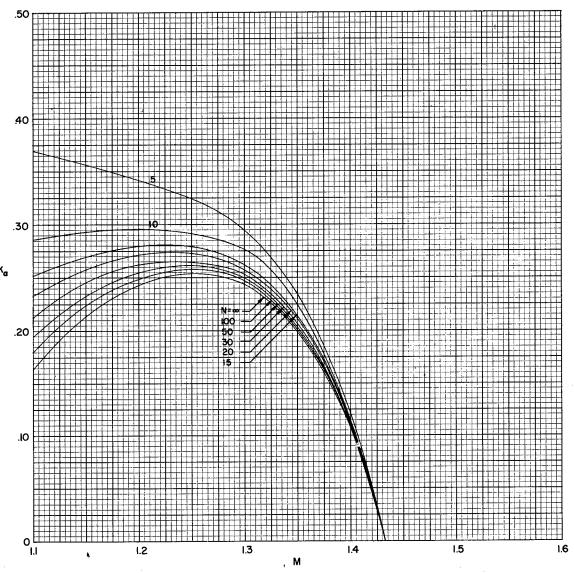


Figure 1201-5a STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER FOR ZERO DAMPING ($g_{\alpha} = 0$).

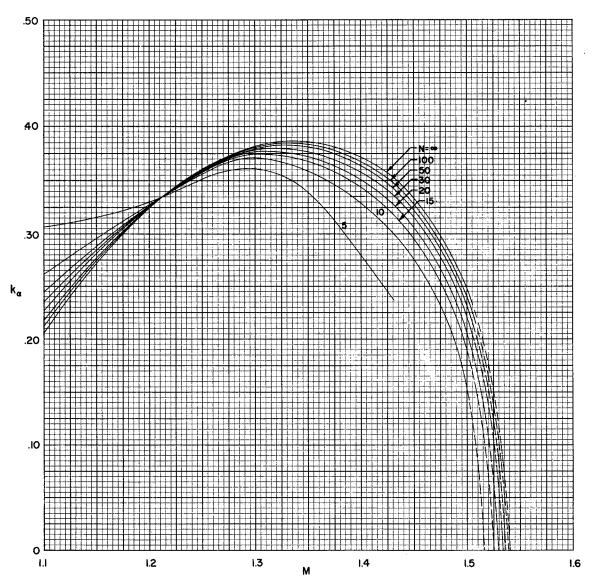


Figure 1201-5b STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER FOR ZERO DAMPING (g $_{\alpha}$ = 0). r = -0.2

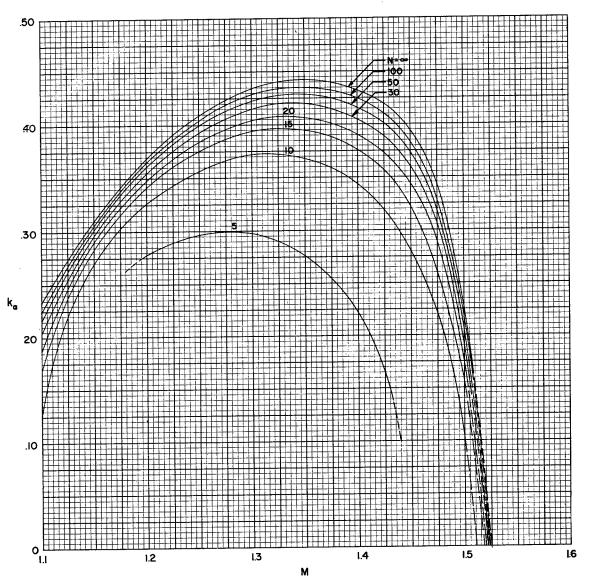


Figure 1201-5c STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER FOR ZERO DAMPING (g $_{\alpha}$ = 0).

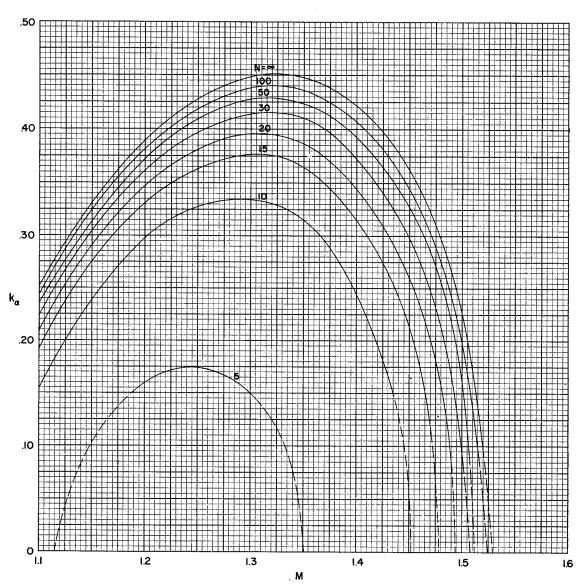


Figure 1201-5d STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER FOR ZERO DAMPING (g $_{\alpha}$ = 0). r = -0.6

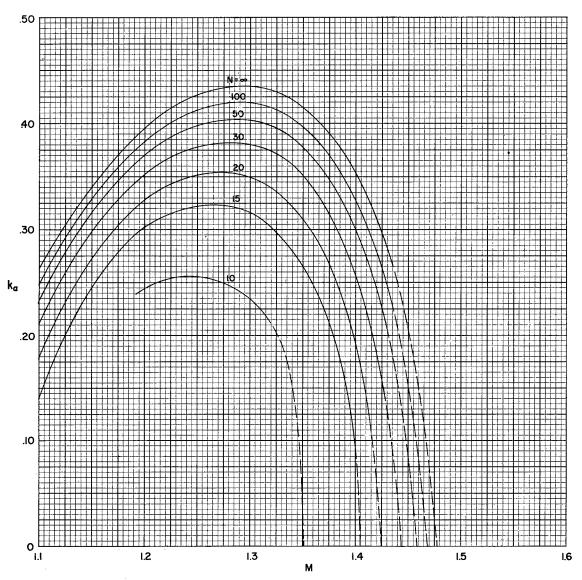


Figure 1201-5e STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER FOR ZERO DAMPING (g $_{\alpha}$ = 0). r = -0.8

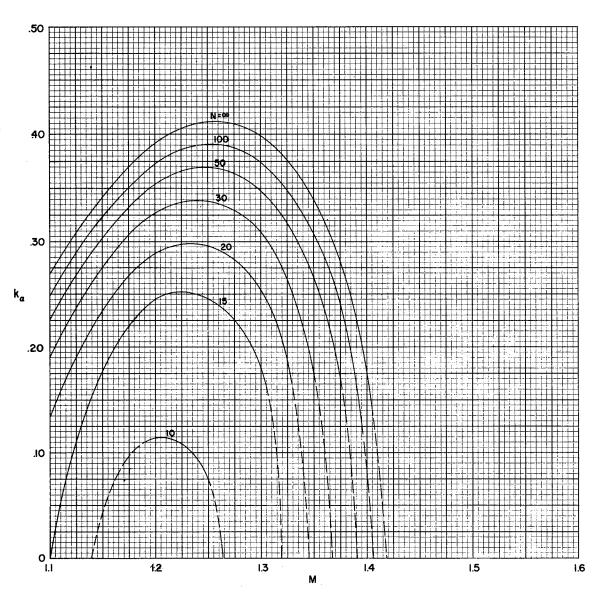


Figure 1201-5f STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER FOR ZERO DAMPING (g $_{\alpha}$ = 0). r = -1.0

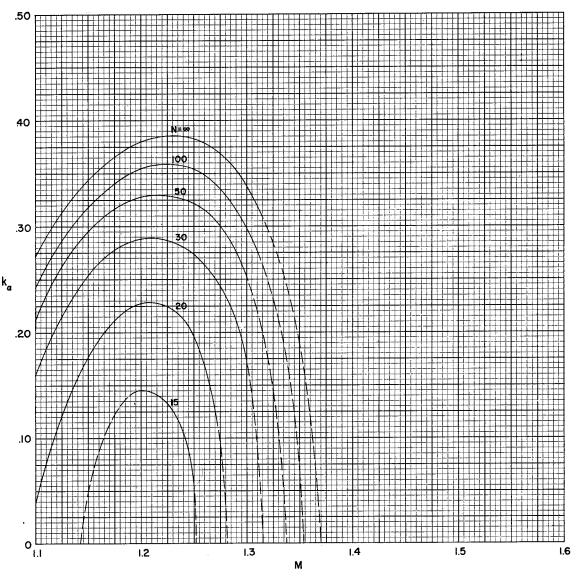


Figure 1201-5g STABILITY BOUNDARIES FOR SINGLE-DEGREE-OF-FREEDOM TORSIONAL FLUTTER FOR ZERO DAMPING (g $_{\alpha}$ = 0). r = -1.2

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1202 Two-Dimensional Binary Flexure-Torsion Flutter

The equations of motion for a two-dimensional airfoil in flexure and torsion are most easily derived (References 12-12 and 12-13) by use of the Lagrangian equations

$$\frac{\mathrm{d}}{\mathrm{dt}} \left(\frac{\partial E_{\mathbf{k}}}{\partial \dot{\mathbf{q}}_{1}} \right) + \frac{\partial E_{\mathbf{e}}}{\partial \mathbf{q}_{1}} + \frac{\partial F}{\partial \dot{\mathbf{q}}_{1}} - L_{\mathbf{g}} = 0$$

$$\frac{\mathrm{d}}{\mathrm{dt}} \left(\frac{\partial E_{\mathbf{k}}}{\partial \dot{\mathbf{q}}_{2}} \right) + \frac{\partial E_{\mathbf{e}}}{\partial \mathbf{q}_{2}} + \frac{\partial F}{\partial \dot{\mathbf{q}}_{2}} - M_{\mathbf{g}} = 0$$
(1202-1)

and

The quantities \mathbf{q}_1 and \mathbf{q}_2 are the generalized coordinates describing the motion of the system; they may be considered as the translational displacement h' of the wing elastic axis, and the angular displacement α , respectively, although this choice is not essential. Thus, for harmonic oscillatory motions we get:

$$h' = q_1 = h'_o e^{i\omega t}$$

$$\alpha = q_2 = \alpha_o e^{i\omega t}$$
(1202-2)

The quantities $\mathbf{L}_{\mathbf{g}}$ and $\mathbf{M}_{\mathbf{g}}$ are the generalized aerodynamic force and moment per unit span, respectively.

The kinetic energy $\mathbf{E}_{\mathbf{k}}$ of the system per unit span can be written as the sum of the translational and rotational energies about an axis through the center of gravity, as follows.

$$E_{\mathbf{k}} = \frac{1}{2} \, \mathbf{m} \left[\mathbf{h'} + \mathbf{x}_{\alpha} \mathbf{b} \, \dot{\alpha} \right]^{2} + \frac{1}{2} \left[\mathbf{I}_{\alpha}' - \mathbf{m} \, (\mathbf{x}_{\alpha} \mathbf{b})^{2} \right] \dot{\alpha}^{2} \qquad (1202-3)$$

Expanding, substituting S for the mass unbalance quantity $\max_{\alpha} b$, and also writing the equations for the elastic energy E_e and half the rate of energy dissipation F per unit span, one obtains:

$$E_{k} = \frac{1}{2} \left(\dot{m} \dot{h}^{2} + 2 \dot{s} \dot{h}^{2} \dot{\alpha} + I_{\alpha}^{2} \dot{\alpha}^{2} \right)$$

$$E_{e} = \frac{1}{2} \left(\dot{c}_{h} \dot{h}^{2} + \dot{c}_{\alpha}^{2} \dot{\alpha}^{2} \right)$$

$$F = \frac{1}{2} \left(\frac{g_{h} c_{h}}{\omega} \dot{h}^{2} + \frac{g_{\alpha} c_{\alpha}}{\omega} \dot{\alpha}^{2} \right)$$

$$(1202-4)$$

By introducing the generalized coordinates \mathbf{q}_1 and \mathbf{q}_2 (Equations 1202-2) into these energy equations, taking derivatives, and then substituting into the Lagrangian equations of motion (Equations 1202-1), we have:

$$-\omega^{2}_{mh_{o}^{'}e^{i\omega t}} - \omega^{2}_{s\alpha_{o}}e^{i\omega t} + C_{h}h_{o}^{'}e^{i\omega t} + ig_{h}C_{h}h_{o}^{'}e^{i\omega t} - L_{g} = 0$$

$$-\omega^{2}_{\alpha\alpha_{o}^{'}e^{i\omega t}} - \omega^{2}_{sh_{o}^{'}e^{i\omega t}} + C_{\alpha\alpha_{o}^{'}e^{i\omega t}} + ig_{\alpha}C_{\alpha\alpha_{o}^{'}e^{i\omega t}} - M_{g} = 0$$

$$(1202-5)$$

The generalized force and moment per unit span on a two-dimensional wing about the elastic axis (see Equations 1203-10) are:

$$L_{g} = L' = -\pi\rho b^{3}\omega^{2}e^{i\omega t} \left(A_{11}\frac{h'_{o}}{b} + A_{12}\alpha_{o}\right)$$

$$M_{g} = M' = -\pi\rho b^{4}\omega^{2}e^{i\omega t} \left(A_{21}\frac{h'_{o}}{b} + A_{22}\alpha_{o}\right)$$
(126.4-6)

where (see Equations 1203-9)

$$A_{11} = C_{Lh}$$

$$A_{12} = C_{Lh} (\frac{1}{2} + r) - C_{L\alpha}$$

$$A_{21} = C_{Lh} (\frac{1}{2} + r) - C_{Mh}$$

$$A_{22} = -C_{M\alpha} - C_{Lh} (\frac{1}{2} + r)^2 + (C_{L\alpha} + C_{Mh}) (\frac{1}{2} + r)$$
(1202-7)

By combining Equations 1202-5 and 1202-6, and rearranging (since $\omega_{\rm h}=\sqrt{{\rm C_h/m}},~\omega_{\alpha}=\sqrt{{\rm C_{\alpha}/I_{\alpha}^{\rm r}}}$, and S = mx $_{\alpha}$ b), we have:

$$\int_{\frac{\pi}{\pi\rho b^{2}}} \left[\left(\frac{\omega_{h}}{\omega} \right)^{2} (1 + ig_{h}) - 1 \right] + A_{11} \right] \frac{h'_{o}}{b} + \left\{ -\frac{mx_{\alpha}}{\pi\rho b^{2}} + A_{12} \right\} \alpha_{o} = 0$$

$$\left\{ -\frac{mx_{\alpha}}{\pi\rho b^{2}} + A_{21} \right\} \frac{h'_{o}}{b} + \left\{ \frac{I'_{\alpha}}{\pi\rho b^{4}} \left[\left(\frac{\omega_{\alpha}}{\omega} \right)^{2} (1 + ig_{\alpha}) - 1 \right] + A_{22} \right\} \alpha_{o} = 0$$
(1202-8)

In order for a solution to exist, the determinant of Equations 1202-8 must vanish. That is,

$$\begin{vmatrix}
M_{11} & + & A_{11} & & M_{12} & + & A_{12} \\
& & & & & & & \\
M_{21} & + & A_{21} & & M_{22} & + & A_{22}
\end{vmatrix} = 0 \qquad (1202-9)$$

where

$$\begin{split} \mathbf{M}_{11} &= \frac{\mathbf{m}}{\pi \rho \mathbf{b}^2} \left[\left(\frac{\omega_h}{\omega} \right)^2 \, \left(\, 1 \, + \, \mathbf{i} \, \mathbf{g}_h \right) \, - \, 1 \, \right] \\ \mathbf{M}_{12} &= \mathbf{M}_{21} \, = \, - \, \frac{\mathbf{m}^{\mathbf{x}} \alpha}{\pi \rho \mathbf{b}^2} \\ \mathbf{M}_{22} &= \frac{\mathbf{I}'_{\alpha}}{\pi \rho \mathbf{b}^4} \left[\left(\frac{\omega_{\alpha}}{\omega} \right)^2 \, \left(\, 1 \, + \, \mathbf{i} \, \mathbf{g}_{\alpha} \, \right) \, - \, 1 \, \right] \end{split}$$
 (1202-10)

Some methods of solving the determinantal equation for two-dimensional binary flutter will be covered in Subsection 1204. The determinantal equations of motion derived here (Equations 1202-7, 1202-9 and 1202-10) are identical to those presented in Reference 12-14.

1203 Three-Dimensional Binary Flexure-Torsion Flutter

Let the quantities, h' and α , describing the motion of the three-dimensional (finite) wing referred to the elastic axis be defined by (cf. Equations 1202-2)

$$h' = \phi_1 q_1 = \phi_1 h'_o e^{i\omega t}$$

$$\alpha = \phi_2 q_2 = \phi_2 \alpha_o e^{i\omega t}$$
(1203-1)

where ϕ_1 and ϕ_2 are functions of the spanwise position, y. The quantities q_1 and q_2 are generalized coordinates; they may be considered respectively as the displacement of, and rotation at, the tip of the wing, although in any specific case some other quantity may be more convenient.

The kinetic energy \mathbf{E}_k in such a system may be found from the spanwise integration (cf. Equation 1202-4)

$$E_{k} = \frac{1}{2} \left[\int_{0}^{\frac{1}{2}} m\dot{h}^{2} dy + 2 \int_{0}^{\frac{1}{2}} s\dot{h}^{2} \dot{\alpha} dy + \int_{0}^{\frac{1}{2}} I_{\alpha}^{2} \dot{\alpha}^{2} dy \right]$$
 (1203-2a)

The elastic energy E in such a system is

$$E_{e} = \frac{1}{2} \left[\int_{0}^{4} EI \left(\frac{\partial^{2} h'}{\partial y^{2}} \right)^{2} dy + \int_{0}^{4} GJ \left(\frac{\partial \alpha}{\partial y} \right)^{2} dy \right]$$
 (1203-2b)

One-half the rate of energy dissipation is

$$\mathbf{F} = \frac{1}{2} \left[-\frac{\mathbf{g}_{\mathbf{h}}}{\omega} \int_{0}^{\mathbf{f}} \mathbf{E} \mathbf{I} \left(\frac{\partial^{2} \dot{\mathbf{h}}'}{\partial y^{2}} \right)^{2} dy - \frac{\mathbf{g}_{\alpha}}{\omega} \int_{0}^{\mathbf{f}} \mathbf{G} \mathbf{J} \left(\frac{\partial \dot{\alpha}}{\partial y} \right)^{2} dy \right]$$
(1203-2c)

Since h' and α have been defined in Equations 1203-1, derivatives necessary for substitution in Equations 1203-2 may be formed. After substitution we have:

$$E_{k} = \frac{1}{2} \left[\int_{0}^{\frac{1}{2}} m \phi_{1}^{2} \dot{q}_{1}^{2} dy + 2 \int_{0}^{\frac{1}{2}} S \phi_{1} \phi_{2} \dot{q}_{1} \dot{q}_{2} dy + \int_{0}^{\frac{1}{2}} I_{\alpha}^{\prime} \phi_{2}^{2} \dot{q}_{2}^{2} dy \right]$$

$$E_{e} = \frac{1}{2} \left[\int_{0}^{\frac{1}{2}} E I q_{1}^{2} \left(\frac{d^{2} \phi_{1}}{d y^{2}} \right)^{2} dy + \int_{0}^{\frac{1}{2}} G J q_{2}^{2} \left(\frac{d \phi_{2}}{d y} \right)^{2} dy \right]$$

$$(1203-3)$$

$$F = \frac{1}{2} \left[-\frac{g_{h}}{\omega} \int_{0}^{\frac{1}{2}} E I \dot{q}_{1}^{2} \left(\frac{d^{2} \phi_{1}}{d y^{2}} \right)^{2} dy - \frac{g_{\alpha}}{\omega} \int_{0}^{\frac{1}{2}} G J \dot{q}_{2}^{2} \left(\frac{d \phi_{2}}{d y} \right)^{2} dy \right]$$

The Lagrangian equations of motion for such a system of two degrees of freedom are (cf. Equations 1202-1):

$$\frac{\mathrm{d}}{\mathrm{dt}} \left(\frac{\partial \mathbf{E}_{\mathbf{k}}}{\partial \dot{\mathbf{q}}_{1}} \right) + \frac{\partial \mathbf{E}_{\mathbf{e}}}{\partial \mathbf{q}_{1}} + \frac{\partial \mathbf{F}}{\partial \dot{\mathbf{q}}_{1}} - \mathbf{L}_{\mathbf{g}} = 0$$
 (1203-4)

$$\frac{\mathrm{d}}{\mathrm{d}t} \quad \left(\frac{\partial E_{\mathbf{k}}}{\partial \dot{\mathbf{q}}_{2}}\right) + \frac{\partial E_{\mathbf{e}}}{\partial \mathbf{q}_{2}} + \frac{\partial F}{\partial \dot{\mathbf{q}}_{2}} - M_{\mathbf{g}} = 0$$

where L_g and M_g are the generalized aerodynamic force and moment per unit span acting on the wing, referred to the generalized coordinates q_1 and q_2 , respectively. The former will be more fully defined in Equations 1203-7 and 1203-8, respectively.

Taking the necessary partial derivatives of the energy equations (1203-3) and substituting into the Lagrangian equations (1203-4), we have:

$$-\omega^{2}e^{i\omega t} h'_{o} \int_{0}^{1} m\phi_{1}^{2} dy - \omega^{2}e^{i\omega t} \alpha_{o} \int_{0}^{1} S \phi_{1} \phi_{2} dy + h'_{o}e^{i\omega t} \int_{0}^{1} EI \left(\frac{d^{2}\phi_{1}}{dy^{2}}\right)^{2} dy$$

$$+ ig_{h}h'_{o}e^{i\omega t} \int_{0}^{1} EI \left(\frac{d^{2}\phi_{1}}{dy^{2}}\right)^{2} dy - L_{g} = 0 \qquad (1203-5)$$

$$-\omega^{2}e^{i\omega t} h_{o}^{\prime} \int_{0}^{k} s \phi_{1} \phi_{2} dy - \omega^{2}e^{i\omega t} \alpha_{o} \int_{0}^{k} I_{\alpha}^{\prime} \phi_{2}^{2} dy + \alpha_{o}e^{i\omega t} \int_{0}^{k} GJ \left(\frac{d \phi_{2}}{dy}\right)^{2} dy$$
$$+ ig_{\alpha}\alpha_{o}e^{i\omega t} \int_{0}^{k} GJ \left(\frac{d \phi_{2}}{dy}\right)^{2} dy - M_{g} = 0 \qquad (1203-6)$$

Borbely's and Possio's equations for the lift and moment on a unit span of two-dimensional wing oscillating in flexure and torsion are derived in References 12-1 and 12-15, respectively, and are reproduced in Reference 12-14. Using the coefficients defined by Equations 1201-3, the force and moment about the elastic axis may be written, respectively:

$$L' = -\pi \rho b^{3} \omega^{2} e^{i\omega t} \left\{ -C_{Lh} \frac{h'_{o}}{b} + \left[\left(\frac{1}{2} + r \right) C_{Lh} - C_{L\alpha} \right] \alpha_{o} \right\}$$

$$M' = -\pi \rho b^{4} \omega^{2} e^{i\omega t} \left\{ \left[-C_{Mh} + \left(\frac{1}{2} + r \right) C_{Lh} \right] \frac{h'_{o}}{b} + \left[-C_{M\alpha} \right] \right\}$$

$$-C_{Lh} \left(\frac{1}{2} + r \right)^{2} + C_{L\alpha} \left(\frac{1}{2} + r \right) + C_{Mh} \left(\frac{1}{2} + r \right) \right] \alpha_{o}$$

$$\left\{ \left(\frac{1}{2} + r \right)^{2} + C_{L\alpha} \left(\frac{1}{2} + r \right) + C_{Mh} \left(\frac{1}{2} + r \right) \right\} \alpha_{o}$$

$$\left(1203 - 8 \right)$$

(Note- This equation for M' is derived independently in Subsection 1201; see Equation 1201-5 and the note that follows it.)

For convenience, let

$$A_{11} = -C_{Lh}$$

$$A_{12} = C_{Lh} (\frac{1}{2} + r) - C_{L\alpha}$$

$$A_{21} = C_{Lh} (\frac{1}{2} + r) - C_{Mh}$$

$$A_{22} = -C_{M\alpha} - C_{Lh} (\frac{1}{2} + r)^2 + C_{L\alpha} (\frac{1}{2} + r) + C_{Mh} (\frac{1}{2} + r)$$
(1203-9)

Then, for two-dimensional wings,

$$L' = -\pi \rho b^{3} \omega^{2} e^{i\omega t} \left(A_{11} \frac{h_{o}'}{b} + A_{12} \alpha_{o} \right)$$

$$M' = -\pi \rho b^{4} \omega^{2} e^{i\omega t} \left(A_{21} \frac{h_{o}'}{b} + A_{22} \alpha_{o} \right)$$
(1203-10)

For three-dimensional wings, taking into account the spanwise variations of displacement (cf. Equations 1202-2 and 1203-1), we have

$$L' = - \pi \rho b^{3} \omega^{2} e^{i\omega t} \left(A_{11} \frac{\phi_{1} h_{o}'}{b} + A_{12} \phi_{2} \alpha_{o} \right)$$

$$M' = - \pi \rho b^{4} \omega^{2} e^{i\omega t} \left(A_{21} \frac{\phi_{1} h_{o}'}{b} + A_{22} \phi_{2} \alpha_{o} \right)$$
(1203-11)

By the principle of virtual work, and by use of Equations 1203-1 and 1203-11, the generalized moments and forces may then be expressed as follows:

$$L_{g} = -\pi\rho\omega^{2}e^{i\omega t}\left[h'_{o}\int_{0}^{1}b^{2}A_{11}\phi_{1}^{2}dy + \alpha_{o}\int_{0}^{1}b^{3}A_{12}\phi_{1}\phi_{2}dy\right]$$

$$M_{g} = -\pi\rho\omega^{2}e^{i\omega t}\left[h'_{o}\int_{0}^{1}b^{3}A_{21}\phi_{1}\phi_{2}dy + \alpha_{o}\int_{0}^{1}b^{4}A_{22}\phi_{2}^{2}dy\right]$$
(1203-12)

These may be substituted into Equations 1203-5 and 1203-6, respectively, to obtain the equations of motion, thus:

$$(M_{11}' + A_{11}') h_o' + (M_{12}' + A_{12}') \alpha_o = 0$$

 $(M_{21}' + A_{21}') h_o' + (M_{22}' + A_{22}') \alpha_o = 0$ (1203-13)

A necessary condition for the existence of a solution of these equations is

$$\begin{vmatrix}
M'_{11} + A'_{11} & M'_{12} + A'_{12} \\
M'_{21} + A'_{21} & M'_{22} + A'_{22}
\end{vmatrix} = 0$$
(1203-14)

where

$$\begin{split} \mathbf{M}_{11}' &= -\int_{0}^{1} \mathbf{m} \phi_{1}^{2} \, \mathrm{d}\mathbf{y} + \frac{1}{\omega^{2}} \, (1 + i\mathbf{g}_{h}) \int_{0}^{1} \mathrm{EI} \left(\frac{\mathrm{d}^{2} \phi_{1}}{\mathrm{d}\mathbf{y}^{2}} \right)^{2} \, \mathrm{d}\mathbf{y} \\ \mathbf{M}_{12}' &= \mathbf{M}_{21}' = -\int_{0}^{1} \mathrm{S} \phi_{1} \phi_{2} \, \mathrm{d}\mathbf{y} \\ \mathbf{M}_{22}' &= -\int_{0}^{1} \mathrm{I}_{\alpha}' \phi_{2}^{2} \, \mathrm{d}\mathbf{y} + \frac{1}{\omega^{2}} \, (1 + i\mathbf{g}_{\alpha}) \int_{0}^{1} \mathrm{GJ} \left(\frac{\mathrm{d} \phi_{2}}{\mathrm{d}\mathbf{y}} \right)^{2} \, \mathrm{d}\mathbf{y} \\ \mathbf{A}_{11}' &= \pi \rho \int_{0}^{1} \mathrm{b}^{2} \mathbf{A}_{11} \phi_{1}^{2} \, \mathrm{d}\mathbf{y} \\ \mathbf{A}_{21}' &= \pi \rho \int_{0}^{1} \mathrm{b}^{3} \mathbf{A}_{21} \phi_{1} \phi_{2} \, \mathrm{d}\mathbf{y} \\ \mathbf{A}_{22}' &= \pi \rho \int_{0}^{1} \mathrm{b}^{4} \mathbf{A}_{22} \phi_{2}^{2} \, \mathrm{d}\mathbf{y} \end{split}$$

$$(1203-15)$$

In general, for three-dimensional wings, each factor in every one of the foregoing integrands is a function of its spanwise location, for various reasons as indicated below:

Wing Characteristic Determining the Spanwise Function	Quantities So Determined
Mass distribution	m, S, I'
Material	E, G
Cross-section form	I, J
Planform	b
Planform and elastic axis location	A ₁₁ , A ₁₂ , A ₂₁ , A ₂₂
Mode shape in flexure	ϕ_1
Mode shape in torsion	$\phi_2^{}$

Further, it is seen that the quantities M_{11} , M_{12} , M_{21} , and M_{22} are functions of the mechanical parameters and frequency, but not of the flight conditions. However, the aerodynamic terms A_{11} , A_{12} , A_{21} and A_{22} , are functions of Mach number and the location of the elastic axis relative to the mid-chord line, as well as of the frequency and certain mechanical parameters.

For special cases, the above equations may be simplified to a large extent; for instance, a uniform rectangular cantilever wing would enable the computer to remove all terms other than ϕ_1 and ϕ_2 from the integrands.

Several methods of solving the determinantal equations (e.g. Equations 1202-9 and 1203-14) are possible. A method based on that of the U.S. Air Force Air Materiel Command (Reference 12-2) is presented as an example in Subsection 1204.

1204 Applications of Determinantal Equation for Two-Dimensional Binary
Flutter

1204.0 Discussion

The determinantal equation for two-dimensional binary flutter (cf. Equation 1202-9) is

$$\begin{vmatrix}
M_{11} + A_{11} & M_{12} + A_{12} \\
M_{21} + A_{21} & M_{22} + A_{22}
\end{vmatrix} = 0 (1204.0-1)$$

where, (cf. Equations 1202-7 and 1202-10):

$$\begin{split} & M_{11} = \frac{m}{\pi \rho b^2} \left[\left(\frac{\omega_h}{\omega} \right)^2 + (1 + ig_h) - 1 \right] \\ & M_{12} = M_{21} = -\frac{m x_{\alpha}}{\pi \rho b^2} \\ & M_{22} = \frac{i'_{\alpha}}{\pi \rho b^4} \left[\left(\frac{\omega_{\alpha}}{\omega} \right)^2 + (1 + ig_{\alpha}) - 1 \right] \\ & M_{13} = -C_{Lh} \\ & M_{14} = -C_{Lh} \\ & M_{15} = C_{Lh} + (\frac{1}{2} + r) - C_{L\alpha} \\ & M_{21} = C_{Lh} + (\frac{1}{2} + r) - C_{Mh} \\ & M_{22} = -C_{M\alpha} - C_{Lh} + (\frac{1}{2} + r)^2 + (C_{L\alpha} + C_{Mh}) + (\frac{1}{2} + r) \end{split}$$

A number of fairly simple solutions to the foregoing determinantal equation have been obtained, and one of these is outlined in the following subsection.

1204.1 Materiel Center Method (References 12-2 and 12-16)

Let
$$g_{\alpha} = g_{h} = g$$

$$Z = \left(\frac{\omega_{\alpha}}{\omega}\right)^{2} \qquad (1204.1-1)$$

$$\Lambda = Z(1 + ig)$$
and
$$k_{h\alpha} = \left(\frac{\omega_{h}}{\omega_{\alpha}}\right)^{2}$$
Then
$$M_{11} = \frac{m}{\pi \rho b^{2}} \left(k_{h\alpha} \dot{\Lambda} - 1\right)$$

$$M_{22} = \frac{I_{\alpha}^{\prime}}{\pi o b^{4}} (\Lambda - 1)$$

The determinantal equation may therefore be written

$$\Lambda^2 + C_1 \Lambda + C_2 = 0 \tag{1204.1-3}$$

where C_1 and C_2 are complex constants.

The two complex roots of this quadratic equation are given by

$$\Lambda = \frac{-C_1 + \sqrt{C_1^2 - 4C_2}}{2}$$
 (1204.1-4)

By complex algebra it is readily shown that

$$\sqrt{c_1^2 - 4c_2} = \sqrt[4]{\zeta^2 + \eta^2} \left(\cos\frac{\theta}{2} + i\sin\frac{\theta}{2}\right)$$

$$\zeta = (c_1^2 - 4c_2)$$

$$\eta = (c_1^2 - 4c_2)^*$$
(1204.1-5)

where

 $\theta = arc tan \frac{\eta}{\zeta}$

Hence we may write the real and complex parts of the two roots of Equation 1204.1-4 as follows:

$$2\bar{\Lambda}_{1} = -\bar{C}_{1} + \sqrt{\frac{4}{\xi^{2} + \eta^{2}}} \cos \frac{\theta}{2}$$

$$2\bar{\Lambda}_{2} = -\bar{C}_{1} - \sqrt{\frac{4}{\xi^{2} + \eta^{2}}} \cos \frac{\theta}{2}$$

$$2\Lambda_{1}^{*} = -C_{1}^{*} + \sqrt{\frac{4}{\xi^{2} + \eta^{2}}} \sin \frac{\theta}{2}$$

$$2\Lambda_{2}^{*} = -C_{1}^{*} - \sqrt{\frac{4}{\xi^{2} + \eta^{2}}} \sin \frac{\theta}{2}$$

$$(1204.1-6)$$

$$2\Lambda_{2}^{*} = -C_{1}^{*} - \sqrt{\frac{4}{\xi^{2} + \eta^{2}}} \sin \frac{\theta}{2}$$

By the definitions of Equations 1204.1-1 it is apparent that

$$\left(\frac{\omega_{\alpha} 1}{\omega}\right)^{2} = \overline{\Lambda}_{1}$$

$$\left(\frac{\omega_{\alpha} 2}{\omega}\right)^{2} = \overline{\Lambda}_{2}$$

$$(1204.1-7)$$

and since ω must be assumed in order for values of the aerodynamic coefficients to be chosen, then the values of ω_{α} are determined for this value of ω and for the simultaneously assumed value of Mach number M.

It is also apparent by the definitions of Equations 1204.1-1 that the damping coefficients are:

$$g_1 = \frac{\Lambda_1^*}{\overline{\Lambda}_1}$$

$$g_2 = \frac{\Lambda_2^*}{\overline{\Lambda}_2}$$
(1204.1-8)

Thus, the procedure for determining the stability of the wing at a given Mach number consists of:

- (a) Assuming a series of values for the reduced frequency k, thereby determining the values of the frequency parameter Ω and of the aerodynamic coefficients which will be used in the determinantal equation; then using these coefficients in solving the determinantal equation for the natural frequency in torsion and for the damping factor.
- (b) Plotting these computed damping factors against some convenient parameter such as ω_{α} or $\omega_{\alpha}b/a$.
- (c) Determining experimentally, or estimating from experience, the actual damping factors of the wing; and plotting this factor on the graph referred to in (b).

If, at a particular value of Mach number and natural frequency ω_{α} , the actual damping factor of the wing is greater than the computed value (i.e., if the point representing the experimental value lies above the curve representing the computed values) then freedom from flutter is indicated.

1204.11 Numerical Example by the Materiel Center Method

Let the following values be assumed to define the characteristics of a two-dimensional wing that is to be examined for binary flutter:

$$\frac{m}{\pi \rho b^2} = 100.0$$

$$\frac{I'_{\alpha}}{\pi \rho b^4} = 16.67$$

$$\frac{\omega_h}{\omega_{\alpha}} = 0.700$$

$$r = 0$$

$$x_{\alpha} = 0$$
(1204.11-1)

These values, when substituted in the M-terms (Equations 1204.0-2) of the determinantal equation give:

$$M_{11} = 100.0 (0.4900 \Lambda - 1)$$
 $M_{12} = M_{21} = 0$ (1204.11-2)

$$M_{22} = 16.67 (\Lambda - 1)$$

2.0

Let the flight Mach number (M) of interest be 1.4; and let the frequency range of interest be defined by a range from 0.2 to 0.7 for the frequency parameter Ω . For this immediate part of the numerical example the value 0.4 is chosen for the latter quantity.

That is

$$M = 1.4$$
 $\Omega = 0.4$
(1204.11-3)

These two values determine the aerodynamic coefficients (as tabulated in Table 1208.2) to be:

$$C_{Lh}$$
 = -1.31345 - i 12.999891
 $C_{L\alpha}$ = -132.93679 $+$ i 6.776163 (1204.11-4)
 C_{Mh} = -1.08389 - i 6.367874
 $C_{M\alpha}$ = -65.34705 + i 3.340791

For r=0 and for these coefficients, the A-terms (Equation 1204.0-2) of the determinantal equation become:

$$A_{11} = 1.313 + i 13.000$$
 $A_{12} = 132.280 - i 13.276$
 $A_{21} = 0.427 - i 0.132$
 $A_{22} = -1.335 + i 0.113$

(1204.11-5)

Substituting these values for the M-terms (Equation 1204.11-2) and the A-terms (Equations 1204.11-5) into the determinantal equation 1204.0-1, we

$$\begin{vmatrix} 49.00 & \Lambda - 98.69 + i & 13.00 & 132.28 - i & 13.28 \\ 0.4272 - i & 0.1321 & 16.67 & \Lambda - 18.00 + i & 0.1133 \end{vmatrix} = 0$$
(1204.11-6)

This equation when expanded and simplified gives

$$\Lambda^2 + (-3.094 + i \ 0.2721) \Lambda + (2.106 - i \ 0.2719) = 0$$
 (1204.11-7)

By comparison of this equation with Equation 1204.1-3 it is apparent that the complex constants are:

$$c_1 = -3.094 + i 0.2721$$
 $c_2 = 2.106 - i 0.2719$
(1204.11-8)

The quantities that appear in the roots of the determinantal equation can be calculated by Equations 1204.1-5 as follows:

$$c_{1}^{2} = 9.4994 - i \cdot 1.6838$$

$$4 c_{2} = 8.4258 - i \cdot 1.0876$$

$$c_{1}^{2} - 4 c_{2} = 1.0735 - i \cdot 0.5962$$

$$\zeta = 1.0735 \qquad (1204.11-9)$$

$$\eta = -0.5962$$

$$\sqrt[4]{\zeta^{2} + \eta^{2}} = 1.1081$$

$$\theta = -29^{\circ} \stackrel{?}{\cancel{2}.74}$$

The real and imaginary parts of the two roots of the quadratic equation are therefore, by use of Equations 1204.1-6:

$$\begin{array}{rcl} \overline{\Lambda}_1 &=& 2.083 \\ \overline{\Lambda}_2 &=& 1.011 \\ \overline{\Lambda}_1^* &=& -0.2750 \\ \overline{\Lambda}_2^* &=& 0.0029 \end{array}$$
 (1204.11-10)

By Equations 1204.1-7 it is apparent that the natural frequencies of the wings (ω_{α}) in relation to the circular frequency (ω) corresponding to the specified Mach number and frequency parameter are given by:

$$\frac{\omega_{\alpha 1}}{\omega} = 1.443$$

$$\frac{\omega_{\alpha 2}}{\omega} = 1.005$$
(1204.11-11)

A convenient non-dimensional parameter for the natural frequency is ω_{α} b/a; this can be derived from the foregoing ratio by the identity

$$\frac{\omega_{\alpha}}{a}$$
 = $\frac{\omega_{\alpha}}{\omega}$ · $\frac{\omega b}{V}$ · $\frac{V}{a}$

where $\omega b/V$ (the reduced frequency k) is related to Mach number M and frequency parameter Ω as indicated in the list of symbols and in Table 1208.1.

For this numerical example we therefore find that

$$\frac{\omega b}{V} = 0.09796$$
 $\frac{v}{a} = 1.4$
(1204.11-12)

Therefore,

$$\frac{\omega_{\alpha} \mathbf{1}^{b}}{a} = 0.1980$$

$$\frac{\omega_{\alpha} \mathbf{2}^{b}}{a} = 0.1379$$
(1204.11-13)

By Equations 1204.1-8 it is apparent that the damping coefficients corresponding to the two roots of the flutter equation are:

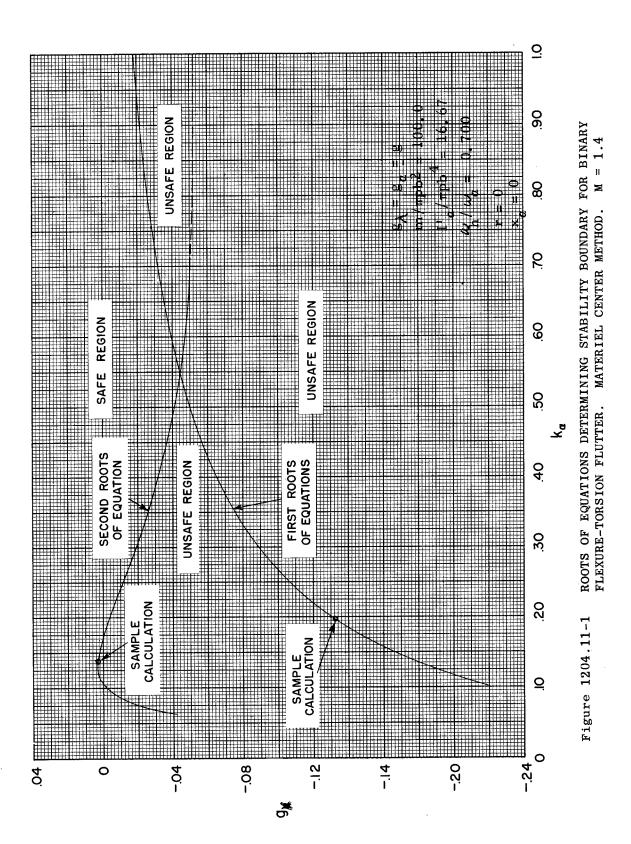
$$g_1 = -0.1320$$
 $g_2 = +0.0029$
(1204.11-14)

 $\mathbf{g_2} = +0.0029$ Similar computations of ω_{α} b/a (the reduced natural frequency \mathbf{k}_{α}), and of g, have been computed for $\Omega_{\alpha} = 0.2, \frac{10.25}{0.25}, 0.3, 0.5, 0.6, 0.7, \text{ and } 1.0$ and then all of these values have been plotted (g vs \mathbf{k}_{α}) in Figure 1204.11-1, for Mach number 1.4. In an actual investigation of the flutter characteristics of a wing similar computations and graphs would be computed for each of several other Mach numbers.

The actual value of the quantity $\mathbf{k}_{\pmb{\alpha}}$ for the sample wing may be determined by experiment or estimated from experience. In the former case the natural frequency in torsion of the wing (ω_{α} in radians per second) would be measured, and also an average or effective semi-chord length of the wing would be determined. In addition, for each altitude of interest a value for the velocity of sound would be determined corresponding to the ambient temperature and composition of the air at that level.

Likewise the actual value of the damping factor of the wing in torsion would be determined by measuring the rate of decay of a damped torsional vibration of the wing structure, or by measuring the power required to sustain such a vibration at constant amplitude - or an estimate could be made of the torsional damping factor from past experiences. A similar determination would be made of the flexural damping factor of the wing structure, and both of these damping factors would be used in selecting a suitable common damping factor for the wing being considered.

The point representing the value of the damping factor (g) and of the non-dimensional parameter for the reduced natural frequency (k $_{\alpha}$) of the wing at a given altitude would then be plotted on the previously computed graphs such as represented in Figure 1204.11-1 for each Mach number of interest. If the point for the experimental quantities lies above both curves representing the two roots of the equation it is concluded that flutter is improbable. For example, if the quantity \mathbf{k}_{α} for the wing at sea level is 0.2527 and the smaller of the two damping factors is 0.0032 it is seen that the point representing this wing on the graph of Figure 1204.11-1, for M = 1.4 lies above both curves and therefore the wing appears to be free from flutter at this Mach number. Similar spotting of the experimental values on the graphs for other Mach numbers would be made to determine the possibility of flutter occurring at each of these Mach numbers.



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1205 Three-Dimensional Ternary Flexure-Flexure-Torsion Flutter (References 12-12 and 12-13)

In many cases of three-dimensional systems it will be found that the natural frequency in bending in the second mode may be nearly equal to the natural frequency in torsion. If this is found to be true, then it may be expected that the second bending mode will affect the flutter characteristics. In order to include the effects of the additional bending mode, let:

$$\begin{aligned} h &= h_1 + h_2 \\ h_1 &= \phi_1(y) q_1(t) = \phi_1 h_{10} e^{i\omega t} \\ h_2 &= \phi_2(y) q_2(t) = \phi_2 h_{20} e^{i\omega t} \\ \alpha &= \phi_3(y) q_3(t) = \phi_3 \alpha_0 e^{i\omega t} \end{aligned}$$
 (1205-1)

The process of determining the kinetic and elastic energies of the system, taking appropriate derivatives and substituting in the Lagrangian equations of motion, can be followed as in Subsection 1203. If this is done, the condition that the equations of motion have a solution will be

$$\begin{vmatrix} M_{11}^{"} + A_{11}^{"} & M_{12}^{"} + A_{12}^{"} & M_{13}^{"} + A_{13}^{"} \\ M_{21}^{"} + A_{21}^{"} & M_{22}^{"} + A_{22}^{"} & M_{23}^{"} + A_{23}^{"} \\ M_{31}^{"} + A_{31}^{"} & M_{32}^{"} + A_{32}^{"} & M_{33}^{"} + A_{33}^{"} \end{vmatrix} = 0$$

$$(1205-2)$$

where

$$\begin{split} \mathbf{M}_{11}^{"} &= \int\limits_{0}^{1} \mathbf{m} \phi_{1}^{2} \left[\left(\frac{\omega_{h1}}{\omega} \right)^{2} (1 + i \mathbf{g}_{h1}) - 1 \right] \mathrm{d}\mathbf{y} \\ \mathbf{M}_{12}^{"} &= \mathbf{M}_{21}^{"} = -\int\limits_{0}^{1} \mathbf{m} \phi_{1} \phi_{2} \mathrm{d}\mathbf{y} = 0 \text{ (by orthogonality)} \\ \mathbf{M}_{13}^{"} &= \mathbf{M}_{31}^{"} = -\int\limits_{0}^{1} \mathbf{S} \phi_{1} \phi_{3} \mathrm{d}\mathbf{y} \\ \mathbf{M}_{22}^{"} &= \int\limits_{0}^{1} \mathbf{m} \phi_{2}^{2} \left[\left(\frac{\omega_{h2}}{\omega} \right)^{2} (1 + i \mathbf{g}_{h2}) - 1 \right] \mathrm{d}\mathbf{y} \\ \mathbf{M}_{23}^{"} &= \mathbf{M}_{32}^{"} = -\int\limits_{0}^{1} \mathbf{S} \phi_{2} \phi_{3} \mathrm{d}\mathbf{y} \\ \mathbf{M}_{33}^{"} &= \int\limits_{0}^{1} \mathbf{I}_{\alpha} \phi_{3}^{2} \left[\left(\frac{\omega_{\alpha}}{\omega} \right)^{2} (1 + i \mathbf{g}_{\alpha}) - 1 \right] \mathrm{d}\mathbf{y} \end{split}$$

$$A_{11}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{2} A_{11} \phi_{1}^{2} dy$$

$$A_{12}^{"} = A_{21}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{2} A_{11} \phi_{1} \phi_{2} dy$$

$$A_{13}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{3} A_{12} \phi_{1} \phi_{2} dy$$

$$A_{22}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{2} A_{11} \phi_{2}^{2} dy$$

$$A_{31}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{3} A_{21} \phi_{2} \phi_{3} dy$$

$$A_{32}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{3} A_{21} \phi_{2} \phi_{3} dy$$

$$A_{33}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{4} A_{22} \phi_{3}^{2} dy$$

$$A_{33}^{"} = \pi \rho \int_{0}^{\frac{1}{2}} b^{4} A_{22} \phi_{3}^{2} dy$$

The values of the unprimed $^{A}11$, $^{A}12$, $^{A}21$, $^{A}22$ are the same as in Subsection 1202 (Equation 1202-7). The method of solving Equation 1205-2 will be discussed in Subsection 1207. An application of this general method to subsonic flutter is given in References 12-12 and 12-13.

1206 Two-Dimensional Ternary Flexure-Torsion-Aileron Flutter

The determinantal equation for two-dimensional ternary bending-torsion-aileron flutter may be written, corresponding to that for binary flutter (Equation 1202-9), as

$$\begin{bmatrix} M_{11} & + & A_{11} & M_{12} & + & A_{12} & M_{13} & + & A_{13} \\ M_{21} & + & A_{21} & M_{22} & + & A_{22} & M_{23} & + & A_{23} \\ M_{31} & + & A_{31} & M_{32} & + & A_{32} & M_{33} & + & A_{33} \end{bmatrix} = 0$$
 (1206-1)

where $^{\rm M}11$ · · · · · · · $^{\rm M}22$ and $^{\rm A}11$ · · · · · · · $^{\rm A}22$ are exactly as defined in Subsection 1202. These are repeated here for convenience. In addition, the forces and moments about the elastic axis due to the motion of the aileron, and the moments about the aileron hinge line also are given here. Thus.

$$\begin{array}{llll} \mathbf{M}_{11} & = \frac{\mathbf{m}}{\pi \rho \mathbf{b}^2} \left[\left(\frac{\omega_h}{\omega} \right)^2 (\mathbf{1} + \mathbf{i} \mathbf{g}_h) - \mathbf{1} \right] \\ \\ \mathbf{M}_{12} & = \mathbf{M}_{21} = -\frac{\mathbf{m} \mathbf{x}}{\pi \rho \mathbf{b}^2} \\ \\ \mathbf{M}_{22} & = \frac{\mathbf{I}_{\alpha}}{\pi \rho \mathbf{b}^4} \left[\left(\frac{\omega_{\alpha}}{\omega} \right)^2 (\mathbf{1} + \mathbf{i} \mathbf{g}_{\alpha}) - \mathbf{1} \right] \\ \\ \mathbf{M}_{13} & = \mathbf{M}_{31} = -\frac{\mathbf{m}_{\beta} \frac{\mathbf{x}_{\beta}}{\pi \rho \mathbf{b}^2}}{\pi \rho \mathbf{b}^2} \\ \\ \mathbf{M}_{23} & = \mathbf{M}_{32} = -\frac{\mathbf{I}_{\beta}}{\pi \rho \mathbf{b}^4} - \frac{\mathbf{m}_{\beta}}{\pi \rho \mathbf{b}^2} (\mathbf{c} - \mathbf{r}) \mathbf{x}_{\beta} \\ \\ \\ \mathbf{M}_{33} & = \frac{\mathbf{I}_{\beta}}{\pi \rho \mathbf{b}^4} \left[\left(\frac{\omega_{\beta}}{\omega} \right)^2 (\mathbf{1} + \mathbf{i} \mathbf{g}_{\beta}) - \mathbf{1} \right] \end{array}$$

The aerodynamic coefficients not involving the aileron are identically as given in Equations 1202-7, that is:

$$A_{11} = -C_{Lh}$$

$$A_{12} = C_{Lh} (\frac{1}{2} + r) - C_{L\alpha}$$

$$A_{21} = C_{Lh} (\frac{1}{2} + r) - C_{Mh}$$

$$A_{22} = -C_{M\alpha} - C_{Lh} (\frac{1}{2} + r)^2 + (C_{L\alpha} + C_{Mh}) (\frac{1}{2} + r)$$

The aerodynamic terms involving the aileron are:

$$A_{13} = -\left(\frac{1-c}{2}\right)^{3} \left(\frac{1}{2} C_{Lh}^{'} + C_{L\alpha}^{'}\right)$$

$$A_{23} = -\left(\frac{1-c}{2}\right)^{4} \left[C_{M\alpha}^{'} + C_{Lh}^{'} \left(\frac{c-r}{1-c} + \frac{1}{4}\right) + C_{L\alpha}^{'} \left(2 \frac{c-r}{1-c} + \frac{1}{2}\right) + \frac{1}{2} C_{Mh}^{'}\right]$$

$$A_{31} = C_{Lh} \left(\frac{1}{2} + c\right) - C_{Mh} - \left(\frac{1+c}{2}\right)^{3/4} \left(\frac{3}{2} C_{Lh}^{''} - C_{Mh}^{''}\right)$$

$$(1206-4)$$

$$\begin{split} &A_{32} = - \ C_{M\alpha} - C_{Lh} \ (\frac{1}{2} + r) \ (\frac{1}{2} + c) + C_{L\alpha} \ (\frac{1}{2} + c) + C_{Mh} \ (\frac{1}{2} + r) \\ &- (\frac{1+c}{2})^4 \ \left[- \ C_{M\alpha}^{"} - \frac{3}{2} \ C_{Lh}^{"} \ \left(2 \ \frac{r+1}{c+1} \ - \frac{1}{2} \right) + C_{L\alpha}^{"} \ \left(2 \ \frac{r+1}{c+1} \ - \frac{1}{2} \right) + \frac{3}{2} \ C_{Lh}^{"} \\ &Mh \ L\alpha \\ \end{split}$$

$$A_{33} = - \ (\frac{1-c}{2})^4 \ \left(C_{M\alpha}^{'} + \frac{1}{4} \ C_{Lh}^{'} + \frac{1}{2} \ C_{L\alpha}^{'} + \frac{1}{2} \ C_{Mh}^{'} \right) \end{split}$$

All of the aerodynamic flutter coefficients (i.e., all of the C, C' and C" coefficients) are obtained from Table 1208-2, in which values of the coefficients are tabulated with Mach number (M) and the frequency parameter (Ω) as independent parameters, where the latter is a function of M, V, ω , and b (see the symbols list). In the case of the C-coefficients, b is the semi-chord of the entire wing; for the C'-coefficients, b is the semi-chord of the aileron; and for the C"-coefficients, b is the semi-chord of the aileron of the wing forward of the aileron. For any given wing-aileron combination it is assumed for flutter analyses that the circular frequency ω is the same for all primed or umprimed C-coefficients.

It should be noted that if the aileron flutter alone (with no wingtorsion or bending) is being investigated, the two families of curves in Figures 1201-4 and 1201-5 apply, if the aileron is assumed to be hinged at the leading edge (i.e., r = -1.0).

Solution of Higher Order (above second order) Determinantal Flutter Equations

If, in the ternary flutter determinantal equations of motion (e.g., Equations 1205-2 and 1206-1), it is assumed that the frequencies bear a fixed ratio to each other, and that structural damping factors are equal, we may write:

$$z = \left(\frac{\omega_{\alpha}}{\omega}\right)^{2}$$

$$g = g_{h} = g_{\alpha} = g_{\beta}$$

$$\Lambda = z (1 + ig)$$
(1207-1)

It is then found that the ternary determinantal equations may be put in the form of a third degree polynomial such as

$$\Delta_0 \Lambda^3 + \Delta_1 \Lambda^2 + \Delta_2 \Lambda + \Delta_3 = 0 \qquad (1207-2)$$

Since, in supersonic flutter analyses it is necessary to solve the determinantal equation for each Mach number of interest, it is obvious that considerable computational work is required. Three methods of solving these higher-order flutter equations (including quadric as well as cubic equations) have been investigated by Ruggiero and recorded in Reference 12-17.

As an alternative to solving the cubic equation, one may assume that the bending and aileron frequencies are fixed quantities instead of being in fixed ratios with the torsional frequency. Then, on expanding the determinant, the stability equation will be linear in Λ and the torsional frequency may be found directly. After plotting ω_{α} and g_{α} versus 1/k or some other parameter, it will be found that at some value of k the calculated ω_{α} will be the same as the actual natural frequency. Thus, the torsional damping factor found at that value of k will determine the stability of the system.

Other modifications of the method may be made, for instance: (1) assume the aileron natural frequency known, and the value of \mathbf{k}_{α} known, and then solve the resulting quadratic in Λ ; (2) assume that the damping is zero, the aileron natural frequency known, and then solve for Z and \mathbf{k}_{α} . These methods may also be applied in principle to the binary equations discussed in Subsection 1204.

1208 <u>Tables</u>

1208.1 Reduced Frequency (k); Mach Number (M) and Frequency

Parameter (Ω) Independent

a a	1.1	1.2	1.3	1.4	1.5	1.6
20.000	. 0008678 . 001736 . 002603 . 003471	. 001528 . 003056 . 004583 . 006111	.002041 .004083 .006124 .008166	.002449 .004898 .007347 .009796	. 002778 . 005556 . 008333 . 01111	. 003047 . 006094 . 009141 . 01219
. 20 . 20 . 25	. 006942 . 008678 . 01302 . 01736	. 01222 . 01528 . 02292 . 03056	. 01633 . 02041 . 03062 . 04083	. 01959 . 02449 . 03673 . 04898	. 02222 . 02778 . 04167 . 05556	. 02438 . 03047 . 04570 . 06094
08. 08. 08. 08. 09.	. 02603 . 03037 . 03471 . 04339	. 04583 . 05347 . 06111 . 07639	. 06124 . 07145 . 08166 . 1021	. 07347 . 08571 . 09796 . 1224	. 08333 . 09722 . 1111 . 1389	. 09141 . 1066 . 1219 . 1523
.70 .80 .90 1.0	. 06074 . 06942 . 07810 . 08678	. 1069 . 1222 . 1375 . 1528	. 1429 . 1633 . 1837 . 2041	. 1714 . 1959 . 2204 . 2449	. 1944 . 2222 . 2500 . 2778	2133 2438 2742 3047 3656
4.08.08	. 1215 . 1388 . 1562 . 1736	. 2139 . 2444 . 2750 . 3056	. 2858 . 3266 . 3675 . 4083	. 3429 . 3918 . 4408 . 5388	. 3889 . 4444 . 5000 . 5556 . 6111	. 4266 . 4875 . 5484 . 6094
4.080.00 4.080.00	. 2083 . 2256 . 2430 . 2603	. 3667 . 3972 . 4278 . 4583	. 4899 . 5308 . 5716 . 6124	. 5878 . 6367 . 6357 . 7347	. 6667 . 7222 . 7778 . 8333	. 7313 . 7922 . 8531 . 9141
4.4.0.7.0 0.0.0.0	. 3471 . 3905 . 4339 . 6508	. 6111 . 6875 . 7639 1. 1458 1. 5278	. 8166 . 9186 1. 0207 1. 5311 2. 0414	. 9796 1. 1020 1. 2245 1. 8367 2. 4490	1.1111 1.2500 1.3889 2.0833 2.7778	1, 2188 1, 3711 1, 5234 2, 2852 3, 0469
15. 0 20. 0	1.3017	2, 2917 3, 0556	3.0621 4.0828	3.6735 4.8980	4.1667 5.5556	4.5703 6.0938

Table 1208.1 REDUCED FREQUENCY (k); MACH NUMBER (M) AND FREQUENCY PARAMETER (Q) INDEPENDENT

2.4	. 004132 . 008264 . 01240 . 01653	. 03306 . 04132 . 06198 . 1033	. 1240 . 1446 . 1653 . 2066	.2892 .3306 .3719 .4132	. 5785 . 6611 . 7437 . 8264	. 9917 1. 0743 1. 1569 1. 2396 1. 4462	1. 6528 1. 8594 2. 0660 3. 0990 4. 1319	6. 1979 8. 2639
2.2	. 003967 . 007934 . 01190 . 01587	. 03174 . 03967 . 05950 . 07934	. 1190 . 1388 . 1587 . 1983	. 2777 . 3174 . 3570 . 3967	. 5554 . 6347 . 7140 . 7934	. 9521 1.0314 1.1107 1.3884	1, 5868 1, 7851 1, 9835 2, 9752 3, 9669	5.9504 7.9339
2.0	. 003750 . 007500 . 01125 . 01500	. 03000 . 03750 . 05625 . 07500	. 1125 . 1312 . 1500 . 1875	. 2625 . 3000 . 3750 . 4500	. 5250 . 6750 . 7500 . 8250	. 9000 . 9750 1. 0500 1. 1250 1. 3125	1.5000 1.6875 1.8750 2.8125 3.7500	5. 6250 7. 5000
1.9	. 003615 . 007230 . 01084 . 01446	. 02892 . 03615 . 05422 . 07230	. 1084 . 1265 . 1446 . 2169	2530 22892 3253 3615 4338	. 5061 . 5784 . 6507 . 7230	. 9399 1. 0122 1. 0845 1. 2652	1. 4460 1. 6267 1. 8075 2. 7112 3. 6150	5. 4224 7. 2299
1.8	. 003457 . 006914 . 01037 . 01383	. 02765 . 03457 . 05185 . 06914	.1037 .1210 .1383 .1728	. 2420 . 2765 . 3111 . 3457	. 4840 . 5531 . 6222 . 6914 . 7605	. 8296 . 8988 . 9679 1. 0370	1.3827 1.5556 1.7284 2.5926 3.4568	5. 1852 6. 9136
1.7	. 003270 . 006540 . 009810 . 01308	. 02616 . 03270 . 04905 . 06540	.09810 .1144 .1308 .1635	. 2289 . 2616 . 2943 . 3270	. 4578 . 5232 . 5886 . 6540	.7848 .8502 .9156 .9810	1.3080 1.4715 1.6350 2.4524 3.2699	4. 9048 6. 5398
" \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \	0.000	25055	4.r.a owodo		111144 40804	4000k	4.4.c.0 0.c.0 0.c.0	15.0 20.0

Table 1208.1 REDUCED FREQUENCY (k); MACH NUMBER (M)
AND FREQUENCY PARAMETER (Q) INDEPENDENT (Continued)

								$\overline{}$
3.6	.004614 .009228 .01384 .01846	.03691 .04614 .06921 .09228 .1154	. 1384 . 1615 . 1846 . 2307 . 2769	. 3230 . 3691 . 4153 . 4614	. 6460 . 7383 . 8306 . 9228 1. 0151	1. 1074 1. 1997 1. 2920 1. 3843 1. 6150	1.8457 2.0764 2.3071 3.4606 4.6142	6. 9213 9. 2284
3.4	. 004567 . 009135 . 01370 . 01827 . 02740	. 03654 . 04567 . 06851 . 09135	. 1370 . 1599 . 1827 . 2284	. 3197 . 3654 . 4111 . 4567 . 5481	. 6394 . 7308 . 8221 . 9135 1. 0048	1. 0962 1. 1875 1. 2789 1. 3702 1. 5986	1.8270 2.0554 2.2837 3.4256 4.5675	6.8512 9.1349
3.29	. 004512 . 009023 . 01354 . 01805	.03609 .04512 .06768 .09023	. 1354 . 1579 . 2256 . 2707	.3158 .3609 .4061 .4512 .5414	.6316 .7219 .8121 .9623	1. 0828 1. 1730 1. 2633 1. 3535 1. 5791	1.8047 2.0303 2.2559 3.3838 4.5117	6. 7676 9. 0234
3.0	.004444 .008889 .01333 .01778	. 03556 . 04444 . 06667 . 08889	. 1333 . 1556 . 1778 . 2222	. 3111 . 3556 . 4000 . 4444 . 5333	. 6222 . 7111 . 8000 . 8889	1.0667 1.1556 1.2444 1.3333	1.7778 2.0000 2.2222 3.3333 4.4444	6. 6667 8. 8889
2.8	. 004362 . 008724 . 01309 . 01745	. 03490 . 04362 . 06543 . 08724	. 1309 . 1527 . 1745 . 2181	. 3054 . 3490 . 3926 . 4362 . 5235	. 6107 . 6980 . 7852 . 8724	1.0469 1.1342 1.2214 1.3087 1.5268	1.7449 1.9630 2.1811 3.2717 4.3622	6. 5434 8. 7245
2, 6,	. 004260 . 008521 . 01278 . 01704	. 03408 . 04250 . 06391 . 08521	. 1278 . 1491 . 1704 . 2130	. 2982 . 3408 . 3834 . 4260	. 5964 . 6817 . 7669 . 8521	1. 0225 1. 1077 1. 1929 1. 2781 1. 4911	1.7041 1.9172 2.1302 3.1953 4.2604	6.3905 8.5207
N C	. 01 . 03 . 04 . 06			. 70 . 80 . 90 1. 0	40800	4080E	7.5 7.5 10.0	15. 0 20. 0

Table 1208.1 REDUCED FREQUENCY (k); MACH NUMBER (M)
AND FREQUENCY PARAMETER (Ω) INDEPENDENT (Continued)

7.0	. 004898 . 009796 . 01469 . 01959	. 03918 . 04898 . 07347 . 09796	. 1469 . 1714 . 1959 . 2449	3429 3918 4408 .5898	. 6857 . 7837 . 8816 . 9796 1. 0776	1.1755 1.2735 1.3714 1.4694 1.7143	1.9592 2.2041 2.4490 3.6735 4.8980	7.3469
6.0	. 004861 . 009722 . 01458 . 01944	. 03889 . 04861 . 07292 . 09722	.1458 .1701 .1944 .2431	.3403 .3889 .4861 .5833	. 6806 . 7778 . 8750 . 9722 1. 0694	1.1867 1.2639 1.3611 1.4583 1.7014	1.9444 2.1875 2.4306 3.6458 4.8611	7.2917
5.0	. 004800 . 009600 . 01440 . 01920	. 03840 . 04800 . 07200 . 09600	. 1440 . 1680 . 1920 . 2400	. 3360 . 3840 . 4320 . 4800 . 5760	. 6720 . 7680 . 8640 . 9600 1. 0560	1.1520 1.2480 1.3440 1.4400 1.6800	1.9200 2.1600 2.4000 3.6000 4.8000	7, 2000
4.5	. 004753 . 009506 . 01426 . 01901	. 03802 . 04753 . 07130 . 09506 . 1188	. 1426 . 1664 . 1901 . 2377	. 3327 . 3802 . 4278 . 4753	.6654 .7605 .8556 .9506	1.1407 1.2358 1.3309 1.4259 1.6636	1.9012 2.1389 2.3765 3.5648 4.7531	7.1296
4.0	. 004688 . 009375 . 01406 . 01875	. 03750 . 04688 . 07031 . 09375	.1406 .1641 .1875 .2344	.3281 .3750 .4219 .4688	.6562 .7500 .8438 .9375 1.0312	1, 1250 1, 2188 1, 3125 1, 4062 1, 6406	1.8750 2.1094 2.3438 3.5156 4.6875	7.0312
3.8	. 004654 . 009307 . 01396 . 01861	. 03723 . 04654 . 06981 . 09307 . 1163	. 1396 . 1629 . 1861 . 2327 . 2792	. 3258 . 3723 . 4188 . 4654	. 6515 . 7446 . 8377 . 9307 1. 0238	1. 1169 1. 2100 1. 3030 1. 3961 1. 6288	1,8615 2,0942 2,3269 3,4903 4,6537	6.9806 9.3075
■ 0	0.000.000.000.0000.0000.0000.0000.0000.0000	. 08 . 10 . 15 . 20 . 25	. 30 . 35 . 50 . 50	. 70 . 80 . 90 1. 0	2.2.1.1.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2	9999999 40800	4.0 5.0 10.0	15.0 20.0

Table 1208.1 REDUCED FREQUENCY (k); MACH NUMBER (M) AND FREQUENCY PARAMETER (Ω) INDEPENDENT (Continued)

12.0	. 004965 . 009931 . 01490 . 01986	. 03972 . 04965 . 07448 . 09931	. 1490 . 1738 . 1986 . 2483	. 3476 . 3972 . 4965 . 5958	. 6951 . 7944 . 8938 . 9931	1. 1917 1. 2910 1. 3903 1. 4896 1. 7378	98 48 72 96	7,4479
11.0	. 004959 . 009917 . 01488 . 01983	. 03967 . 04959 . 07438 . 09917	. 1488 . 1736 . 1983 . 2479	. 3471 . 3967 . 4463 . 4959	. 6942 . 7934 . 8926 . 9917 1. 0909	1.1901 1.2893 1.3884 1.4876 1.7355	1.9835 2.2314 2.4793 3.7190 4.9587	7. 4380 9. 9174
10.0	.004950 .009900 .01485 .01980	.03960 .04950 .07425 .09900	.1485 .1732 .1980 .2475	.3465 .3960 .4455 .4950 .5940	.6930 .7920 .8910 .9900 1.0890	1.1880 1.2870 1.3860 1.4850 1.7325	1. 9800 2. 2275 2. 4750 3. 7125 4. 9500	7.4250 9.9000
9.0	. 004938 . 009877 . 01481 . 01975	. 03951 . 04938 . 07407 . 09877 . 1235	. 1481 . 1728 . 1975 . 2469	. 3457 . 3951 . 4444 . 4938 . 5926	. 6914 . 7901 . 8889 . 9877 1. 0864	1.1852 1.2840 1.3827 1.4815 1.7284	1.9753 2.2225 2.4691 3.7037 4.9383	7. 4074 9. 8765
8.0	. 004922 . 009844 . 01477 . 01969	. 03938 . 04922 . 07383 . 09844	. 1477 . 1723 . 1969 . 2461	. 39445 . 39445 . 44430 . 5906	. 6891 . 7875 . 8859 . 9844 1. 0828	1. 1812 1. 2797 1. 3781 1. 4766 1. 7227	1.9688 2.2148 2.4609 3.6914 4.9219	7.3828
η O	. 0.1 . 0.2 . 0.3 . 0.4 . 0.6		0.00 0.00 0.00 0.00		111.4.4.4.4.4.0.0.0.0.0.0.0.0.0.0.0.0.0.	ප්ප්ප්පුද ඇතකට ව	10.0 10.0 10.0 10.0	15.0 20.0

Table 1208.1 REDUCED FREQUENCY (k); MACH NUMBER (M) AND FREQUENCY PARAMETER (Ω) INDEPENDENT (Concluded)

1208.2 Aerodynamic Force Flutter Coefficient (C_L) and Moment Flutter Coefficient (C_M); Mach Number (M) and Frequency Parameter (Ω)

Independent

c_{Llpha}^{*}	13645. 6822.3054 4547.6969 3410.2338 2272.4677	1361.52187 905.13598 676.13398 538.2398	445.74683 379.028178 389.07816 857.96834 699.6918	174.51211 147.57481 126.18393 108.72628 81.858475	62.157454 47.218434 35.692177 26.745091	14.497131 10.472482 7.4852195 5.3201039 2.3705981	1.3588581 .94062682 .60910356 .4170356	
\bar{c}_{Llpha}	1 1 1 1 1 1 1 1 1 1	11111 1111 111	1111 2000	1.5083.95024 1.389.539920 1.304.74015 1.955.85998	11132 10934 1066.48 11199 1249 1249 1249 1249 1249 1249 124	1 1 1 1 1 1 2 3 0 3 0 4 4 6 9 4 4 6 9 4 6 9 4 6 9 4 6 9 4 6 9 4 6 9 4 6 9 4 6 9 6 9	-10.755628 -8.4652057 -6.6211552 -2.8987917	1.605197 - 7314905 - 4195301
$c_{\rm Lh}^*$	-3201.7511 -1600.7763 -1067.0740 -800.18976 -533.23948	11299999999999999999999999999999999999	-10 4.76660 -189.203081 -77.455800 -60.838321	11441 1250 1450 1450 1450 1450 1450 1450 1450 14	1 1 1 1 1 1 1 1 1 2 2 4 4 4 4 4 4 4 4 4	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	13.8394884 18.8701688 1.55574957	- 1,125767 - 7881309 - 6165438
$\overline{c}_{\mathrm{Lh}}$	113.229586 113.229586 113.229586 13.226393 2213.226393	-113.204068 -113.170914 -113.170914 -13.1124631	1128.993382 1128.993382 1128.811441 128.5812441 128.5812441	-111. 986806 -111. 8369148 -111. 836315 -10. 812550	-8.9004278 -6.8687423 -5.8968061 -4.9929471	-4.1784821 -3.4676029 -2.8672627 -2.3775735	-1.2441897 -1.1042605 98667714	1237239 0107663 .0303910
G	00000 00000 00000 40040	00000 00000 00000 00000 50000	00000 0000 0000 0000 0000	00000	00000 111100 40000	00000 00000 00000 40000	0000 0000 0000 0000	000 000 000 000

Table 1208.2 AERODYNAMIC FLUTTER COEFFICIENTS, Lift, M = 1.1

c_{Mlpha}^*	10837.563 5418.2863 3611.6306 2708.1387 1804.3132	11 20 20 20 20 20 20 20 20 20 20	25 25 25 25 25 25 25 25 25 25 25 25 25 2	133.69655 110.60116 92.9639117 78.508041	23. 27.49. 18.46622. 11.112528 8153999	6 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	1.9295279 1.5435642 1.5435642	9212357
$\overline{c}_{\mathbf{M}\alpha}$	-1844783.7 -461141.33 -204911.153 -115230.63 -51173.135	- 188753 - 188755 - 8126 - 71113 - 8539 - 7030 - 6049	11978.0071 11082.0624 1668.01234 473.80998	-309.33476 -1222.753476 -164.111401 -122.84417	- 24 . 702516 - 24 . 695739 - 14 . 710288 - 5 . 8444607	1.3	-4.4061296 -3.6769270 -2.7964271 -1.4563338	. 8346054 24037820 2348771
c _{Mh}	116000 18425 1833.43748 1399.96261 66.48141	1199.58489 1105.738489 178.730676	24 4 6 9 4 8 4 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	118.583550 112.5286970 112.547901 7.0158909		8334 48417 1.216446117 1.34846150 74240359	 	4687929 3918677 3276093
\overline{c}_{Mh}	111.025249 111.025249 111.022901 1022908 11.0208908	-111. -10.996305 -10.996305 -10.959846 -10.908967	-10.764640 -10.671649 -10.565151 -10.313020 -10.011405	-99.664 -99.6640557 -8.8496963 -7.3925057 -4095063	-6.25573 -15.25573 -14.25601337 -23.25061331 -23.25065325 -25.25065325	-1.6613287 -1.0369064 54784694 18996070	.17881652 .01088480 07555973 .18721982	.1841614 .1152396 .0946744
ប	00000 00000 	00000 00000 00000 000000	00000 00000 00000 00000	00000	00000 111100 10000 40000	00000 00000 40000 40000	004. 005. 005. 005.	110.00 20.00 20.00

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 1.1 Table 1208.2

ᆏ П Σ Lift, (Continued), COEFFICIENTS EB 畐 AERODYNAMIC S 1208. Φ Tabl

C,*α	1646.5687 823.19382 548.69531 411.41591	205.34618 164.06008 108.87227 81.129746 64.366701	53 54 54 54 55 56 56 56 57 57 57 57 57 57 57 57 57 57	19.0517862 15.079003 13.321315 11.051198	4.9223998 1.4686191 .35079364 .4679364	1111 1111 1040 1000 1000 1000 1000 1000	11.0479029 11.06779029 586897249	
\overline{c}_{Mlpha}	-4111168 -16 -45673 -632 -25685 -651 -11408 -555	- 6 6 4 11 1	-443.87667 -328.73650 -244.14665 -151.82107 -101.79445	-71.757437 -39.389612 -39.336818 -29.951576 -18.180324	-11.472327 -7.4701069 -5.0329160 -3.5481350	1111 1111 1111 1111 1111 1111 1111 1111 1111	-1. 4427918 -1. 2143988 - 96531909 - 47897499	2658983 1176150 0566831
c _{Mh}	-628. -314. -319. -209. -156. -104. 56815	-78 .349883 -62.601572 -41.553484 -30.976014	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	. 7	- 2 . 2043701 - 1 . 0645887 7343639 51849048		55984547 57435074 52181857 39057610	. 3146644 . 2567556 . 1958124
\overline{c}_{Mh}	- 3.6358865 - 3.6358865 - 3.6345349 - 3.6338788 - 3.6338788	13.6293769 13.6293769 13.6143080 13.5979831 13.5779831	13.5516512 13.5516512 13.4064432 3094432	- 3 1971 - 2 071 - 2. 9333715 - 2. 7846859 - 4618894	-2.1167671 -1.7633719 -1.4152141 -1.0845194 -78160860	28844 288831 10582335 .03306768	. 21346833 . 14682983 . 09024193 . 14173627	.0958066 .0434087 .0121974
ប	00000	00000 00000 00000 044000	00000 00000 00000 www.an.o	00000	00000 444000 40000	00000 00000 40000 0000	0000 4480 0000 0000	20.00

П AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M Table 1208.2

C _L α	8 4 4 8 5 8 8 4 8 8 8 6 9 0 6 6 9 5 3 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	00000 00000 00000 000000 000001 14000	40000 640000 640000 640000 600000 600000	7909565 18417056 1837379 75789703	66 65 65 65 65 65 65 65 65 65 65 65 65 6	00000000000000000000000000000000000000	1994 5 0 1 3 5 9 1 9 8 9 8 0 8 5 2 0 9 6 5 4 3 1 1 3	2252936 1488935 1151970
	~~~~ 40044	® <b>と</b> 4 ど ∅ <b>®                                    </b>	84444 84444	0000m	инн · ·	1111 000 W 4 TO	1111 044W	111
	6	00000000000000000000000000000000000000	00100 00000 00000 01400 04100	60000000000000000000000000000000000000	9 7 7 7 7 7 7 7 8 7 8 7 8	11046 0104 0104 0108 0108 0108	00000000000000000000000000000000000000	9 1 1 3 4 7 7 3 8 5 2
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li AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, M Table 1208.2

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C _M α	1183898 . 95 120428 . 95 111489 . 106 5103 . 5573	- 2868.6170 - 1834.1608 - 812.48277 - 454.90589	-199.52346 -145.33701 -110.18066 -68.872041 -46.478872	- 23 3	- 1 5 . 8 5 2 1 0 1 3 8 5 2 2 1 6	11.3491472 -11.1707951 -1.99215591 -88890955		- 1329916 - 0533972 - 0240906
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$\overline{c}_{M\alpha}$	110833 127081.661 12034.947 16768.5968	-1690.3326 -1080.9421 -479.07841 -268.43125	-117.98356 -86.060241 -65.347052 -41.005681	-19.869915 -14.742260 -11.249619 -8.7737605 -5.6079744	-3.7709477 -2.6440457 -1.9291373 -1.4670378 -1.1657402	96867186 83937640 75358025 69482377 60160900	52459808 44118209 35753965 15995741	08029582 03058936 01614275
C,Wh	-265.30673 -138.64321 -88.417529 -66.301307	133.110088 -126.463758 -117.586350 -13.131037	-8.6431797 -7.3473694 -6.3678738 -4.9790551 -4.0350118	-3.3466496 -2.8197115 -2.4018315 -2.0617744 1.5484575	1. 1. 8.9168583 1. 6.9009699 1. 5.4221895 1. 5.4221895	326784736 3268915036 30269862 31497727	34517768 35687505 34391747	20262879 13565939 09368797
$\overline{c}_{Mh}$	-1.1280056 -1.1279216 -1.1277817 -1.1275859	-1.1262437 -1.12523437 -1.1217500 -1.1168800	-1.1030483 -1.0941228 -1.0838878 -1.0595992 -1.0595992	99669806 95873360 91692804 87170181	1   1   1   1   1   1   1   1   1   1	14397595 06416338 . 00281476 . 13370905	.14581938 .12133434 .08843185	.02109569 00141549 00548052
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AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 1.4 Table 1208.2

$c_{\Gamma\alpha}^*$	1122.000 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	115.32550 125.32550 1085574 6.0285532 6.1085632 7.115	3.9019010 2.3019010 2.8353330 2.1689156 1.697056	1. 3 3 5 0 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1		1.36964997 1.428824018 1.43824018 4.43765388	37929624 33015930 28872736 19556150	14300283 09984772 07669007
$\bar{c}_{L\alpha}$	11 36 84 85 11 63 90 6 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	-2304.6239 -1444.4229 -6554.47677 -367.49759	-1162.51984 -1190.01865 -900.787892 -57.597344 -39.579481	-28.727074 -16.8957074 -116.886095 -9.0257688	1 1 1 1 1 1 2 4 4 4 4 4 4 4 4 4 4 4 4 4	-1.8745775 -11.5804986 -1.3587547 -1.1881620 -89917765	71458699 57887676 47156736	11244837 04706389 02718624
$c_{\rm Lh}^*$	-409.97067 -204.97850 -136.64474 -102.47559 -68.301883	- 51 - 24 - 26 - 26 - 26 - 26 - 26 - 26 - 26 - 26	-113.536288 -110.070380 -7.9779797 -6.5703191	1 1 4 4	- 2 . 4153011 - 2 . 01353011 - 1 . 7049054 - 1 . 4644828	-1.1282399 -1.0124927 92218885 85195830	. 66988211 . 62049391 . 57413687 . 39617488	31120791 20600366 15147290
$\overline{c}_{\mathrm{Lh}}$	91110 3918 1.91098857 1.91090422 1.91078615	900997681 900370681 900786648 90432800	89597540 88438829 86967156 85195776	83140541 80819699 78853664 75464762 69315530	62577891 55469137 48207797 34049493	2152066 21527633 16197353 03300072	.0082318 .02032876 .01809028 .02317949	. 00673163 - 00244295 - 00106506
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AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, Table 1208.2

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C.M.Q	-73794. -18447. -8198. -4610. -2048. -4640.	-1151.6446 -736.54543 -326.57313 -183.08575	-80.603177 -58.856646 -44.745933 -28.161753	-13.755479 -10.257104 -7.8718809 -6.1787474 -4.0077182	1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111 1111		328672376 32449446 36361244	05442073 02094539 01345575
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[™] C _M h	75919482 75913915 75904637 75891648	75802627 75735908 75504559 75181486	74263648 73671186 72991601 71378064 69439094	64193871 64664442 61875430 58853706	45035448 27532419 229975607 15609099	03290291 036690291 .01110977 .04995579	.11992627 .10281039 .07627909	.00714516 00481993 00114393
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$\bar{c}_{\mathrm{L}lpha}$	1 2 2 4 0 8 0 8 1 1 9 2 4 0 0 8 0 1 1 2 2 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	-1714.8054 -1097.1294 -487.08010 -273.56453 -174.73914	-121.05814 -88.692180 -67.687472 -42.991594	- 21. 507165 - 16. 2726165 - 12. 691393 - 10.137216	- 4. 8602011 - 3. 6043618 - 2. 7637713 - 2. 1804359	-1. 4602479 -1. 8338898 -1. 0620571 -92905178	55736472 45168337 36849444 16031215	08593307 03639067 02192133
$c_{\rm Lh}^*$	- 3 3 4 4 . 5 7 1 5 0 - 1 1 6 7 . 2 8 0 8 5 - 1 1 1 1 . 5 1 5 1 5 1 - 8 3 . 6 3 0 6 2 4 - 5 5 . 7 4 2 8 6 5	- 141 - 143. - 143. - 145. - 156. - 1	-11. -9.4.055418 -8.2359098 -6.5324710 -3876659	4 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		97152735 87501613 79886801 73890171 63857184	57940231 53690947 49851814 34417128	26844212 17381573 12921516
$\bar{c}_{\mathrm{Lh}}$	665344 65344 65345 65345 65345 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367 65367	655270160 655271160 65078095 64869842	648977765 638895835 68418033 61118033	59694537 56218197 56218187 49841153		19588241 15171638 11208600 07751766	. 01766000 . 02697331 . 02397678 . 01680484	.00218567 00298764 .00067444
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 $\overline{\phantom{a}}$ 11 × Lift (Continued) ENTS COEFFICI FLUTTER AERODYNAMIC  $\sim$ 1208. ø Tabl

$c_{Mlpha}^{ au}$	-40.339967 -20.174277 -13.454289 -10.095725	- 5. 0650245 - 2. 7319851 - 2. 0738844 - 1. 6846148	11. 12.25. 1.1.25. 1.1.25. 1.1.25. 1.20. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1.30. 1	1.76729661 1.6863029631 1.663003030303030303030303030303030303030	609388919 609388919 59017464 5775130	56191147 581818036 52161188 49768141	1.36539962 1.30750784 1.36269708 1.17216620	12769546 09080760 06719145
$\overline{c}_{M\alpha}$	-43308.686 -10826.701 -4811.5191 -2706.2054	-676.08185 -191.86123 -107.65045	-447.503538 -34.7397538 -26.457226 -16.721313	. 8 . 25 8 8 6 8 8 . 4 . 79 6 1 1 3 9 3 . 5 1 0 5 1 8 8 . 5 1 0 5 1 8 8 1	11. 7535788 1. 969557899 1. 76118323 61810946		24873644 20760811 16889055 06576423	03162176 01386604 00977743
c,*	-141.61441.61440.135.394440.	117.688534 19.4044794 17.0320849 15.6038984	24.064.786.7.7.9.9.9.9.9.9.9.9.9.9.9.9.9.9.9.9.9.	11.8616087 -11.5890638 -1.3739338 -1.1995617	 6 4 9 0 0 0 2 2 1 0 0 0 0 0 0 0 0 0 0 0 0 0 0		24223330. 24223330. 163426721	12723276 07400874 05655485
$\vec{c}_{Mh}$	40834363 40831435 40826555 40819724	40772900 40737806 40616103 40446117			224401382 1.16212330 1.16212330 082147886 3419	004661852 011427699 .01375558 .03706927	.08358662 .07405703 .05583237 .01632606	00333346 00331513 00198499
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AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 1.7 Table 1208.2

 $\infty$  $\vdash$ 11 × Lift (Continued)  $\mathbf{z}$ ENT COEFFICI FLUTTER AERODYNAMIC 2 1208 Φ Tab1

ς* C,*	1.26.005526 1.17.340705 1.13.009160	1.5.3210188 1.3.4979501 13.6415077	-1. 551547 -1. 5575798 -1. 3818114 -1. 1413483	88147389 80614595 75059413 70854649			1.32208345 1.232238083 1.332313238080 1.332313223	11512366 08113036 05963234
© _M α	135596. 18898.7278 13954.7378 12224.3313 1988.3413	- 5555.74496 - 1355.51362 - 1157.75490 - 88.540287 - 56.888	-39.103928 -28.612851 -21.804883 -13.801880	-6.8441650 -5.1514674 -3.9951793 -2.1722451	-1. 4851406 -1. 09111757 -65569858 -5349858		21005520 17484680 14224227 .05348317	02621346 01229394 00810425
c _{Mh}	-123.04852 -61.521411 -41.0111111 -30.755011	115.366123 112.366123 11749541 16.1147240	-4. -3. -4. -4. -3. -4. -4. -4. -4. -4. -4. -4. -4. -4. -4	-1.6325367 -1.3974688 -1.2122023 -1.0621762		289041106 284227125 289946885 217346885	21847600 21991289 21531795	11215862 106566349 105185040
$\overline{c}_{Mh}$	31648021 31648021 31648021 31636772	31573828 311573828 311480308 311480308	300978477 30488488 30463193 89808852	2000 2000 2000 2000 2000 2000 2000 200	18964711 15808720 12591550 09410771 06357162	003511204 00340140 .013041140 .03186423	.07079605 .06336756 .04796772	00461873 00190719 .00152687
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AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 1.8 Table 1208.2

C _L α	-125.478348 -12.741407 -8.3751689 -6.37516819	1 2 3 1 4 9 6 5 0 9 7 1 1 1 1 1 2 0 0 3 5 1 5 3 1 1 1 1 1 1 1 2 0 3 5 1 5 3 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		46 39 47 54 6 40 31 3 4 7 5 4 6 30 11 70 4 99				1.08942962 1.06224005 1.04607191
$\overline{c}_{Llpha}$	-60308.788 -15076.922 -6700.6500 -3768.9550	-941.96353 -602.72470 -267.67443 -150.40745	-66.647091 -37.333411 -23.768017	-111.963240 -9.0852079 -7.1148756 -5.7083099	1 2 2 3 2 2 3 3 3 3 3 5 3 5 3 5 3 5 3 5 3	- 8 7 6 2 7 6 2 9 6 4 0 8 1 6 8 0 6 1 6 8 0 8 0 6 1 6 8 0 1 6 8 0 1 6 8 0 1 6 8 0 1 6 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8		04992360 02252339 01305355
c _{Lh}	-218.01358 -109.00453 -72.667158 -54.497734 -36.326793	-27.239816 -21.786426 -14.511744 -10.870680 -6830953	- 7 - 7 - 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2		-1.3838626 -1.1761500 -1.0154670 -88881234 -78778379		4 2413480 3 9157492 3 6429955	19006287 12210497 09289662
$ec{c}_{\mathrm{Lh}}$		30161571 30142220 30075101 29981321		287689 28689 28689 286065688 28160684 3115888	 10093 110111011 1101110093 11001110093 1100444100	08902894 06735173 04759733 03007128	. 02060134 . 02571929 . 02281766 . 00446072	00216224 00076647 .00054994
ប	00000 00000 00000 10000	00000 00000 00000 00000	00000 00000 00000 00000	000 000 000 01 000 01 000 01 000	00000 111155 00000 40000	00000 00000 00000 00000	000 000 000 000 000 000 000	200 200 300 300 300

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, M = 1.9 Table 1208.2

ς* κα		1.7.2083087.1.3.9861115087.3.9861115067.3.91150674495	-1.9653474 -1.6987983 -1.5007048 -1.2276056	92676783 83720269 76984108 71776904			1.28870954 1.24518478 1.31088746 1.3939047	10521345 07323802 05378946
$\overline{c}_{Mlpha}$	-30154.2023 -3350.1665 -1884.3190	1 1 3 3 . 6 4 4 5 1 1 1 3 3 . 6 7 9 3 8 1 4 5 1 1 5 3 . 6 7 9 3 8 1 4 5 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1	-33.167712 -18.512925 -11.732837 -052935		-1.2889787 -95227897 -72988436 -57817248	39657478 34170836 30106337 87020863	1.18148559 1.15066304 1.12255091 0.4477997	02258886 01114357 00669898
C _{Mh}	1109.00604 136.331319 127.245848 158.158848	11110. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 1100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100. 100.	1.3.06844673 1.2.0684136 1.2.10684136 1.2.398139	-1. 4574943 -1. 2505938 -1. 0877109 95593798 -75593798	501126898 421125140 35893668	24546601 24914136 23040069 21765136	20178248 20158682 19706339 13291205	10003511 05972355 04690076
$\overline{c}_{Mh}$	                                                                                                                                                                           	200304 200304 200304 200304 200304 200306 200306 200306 200306 200308	24634107 24834107 24227320 23710459	2223 2223 2223 2223 2223 2223 2223 2	1.185194126 1.18599635 1.10029107 0.07479286	002721995 001200245 . 02749000 . 02749000	.06047671 .05456167 .04141908 .00453909	00481542 00076154 .00075457
G	00000 00000  10000	00000 00000 00000 04400	00000 00000  www.a.n.n.	00000	00000 111100  40000	00000 00000  40000 00000	0000 4400 0000 0000	2000 000 000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 1.9 Table 1208.2

		···						
C _{LO}	1.32 1.10 1.10 1.00 1.00 1.00 1.00 1.00 1.0	1   1   1   1   1   2   2   2   2   2	1. 97355012 1. 97355812 1. 86246089 1. 71010121 1. 61191752				21667610 18863244 16504543	08253240 05686051 04212360
$\overline{c}_{L\alpha}$	- 52273 - 13063 - 5807 - 5807 - 3266 - 1451 - 739	1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8	- 57. 799795 - 38. 391281 - 20. 632821 - 247653	-10.399788 -7.9045818 -6.1960757 -4.9761637 -3.3928959	. 2 4 4 5 4 5 5 8 8 8 8 8 8 8 8 8 8 8 8 8 8		29383352 23748358 19393858 08063001	04399173 02014673 01132629
$c_{ m Lh}^{*}$	- 196.02683 - 98.011576 - 65.339009 - 49.002113	- 24 • 4937111 - 119 • 59056 - 113 • 050200 - 9 • 7769959	- 5 - 5 - 5 - 5 - 5 - 5 - 5 - 5 - 5 - 5	-2.3583619 -2.0763352 -1.8493363	-1. 02590589 -1.0732732 -92942964 -81585174	 665117663176651776661776617761761761761761761761761761		17331059 11210485 08527559
$\overline{c}_{\mathrm{Lh}}$	. 24503073 - 2445017073 - 24499601 - 24496565 - 2448989		234115262 235816428 235816428	22443950 2116839516 204359516 1.80436935	15081346 15087346 13092384 11079133	054194701 054108115 03778076 0037384863	. 01928314 . 02362763 . 02095245 . 00226753	00224756 00016514 .00010553
ប	00000 00000  00000 40040	00000	0000 0000 0000 0000 0000	00000	110000 111000 40000	00000 00000 00000 00000	004. 005. 005.	200 000 000 000 000

2.0 AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, M Table 1208.2

C,*α	1129.898678 119.9691153 114.979811	-7.4968692 -6.0018503 -4.0112993 -3.0190140	1.20326248 1.1.5451805 1.1.25451805 1.25451805		569004785 493479204785 4661022044785	1.39768215 1.39768215 1.37687303 1.35648681	1.26216291 1.22345952 1.19278468	09712233 06673146 04916632
C _M α	- 266136 - 29034.0030 - 1633.8539 - 725.76539 - 725.76539	- 408.12658 - 261.10569 - 1115.90025 - 65.078879 - 41.556436	-28.779437 -21.075957 -16.076764 -10.199548 -7.0093923	-5.0882841 -2.8438786 -2.9931714 -2.3870822 -1.604022	-1.1397699 -84576805 -65078630 -51707595		15960693 13215844 10747541	02003388 01020634 00560648
c,*	-98.012801 -49.004563 -32.667667 -24.498607	112. 241959	- 3 . 2307591 - 2 . 4022417 - 1 . 9007679 - 1 . 5630417	-1.3191725 -1.1341725 -98868217 -87107975 -69251473		26196492 21966555 207065555 20706599	1.18775988 1.18623003 1.18163009	09017883 05521498 04316605
$\overline{c}_{Mh}$	. 2004112 . 2004117680 . 2004115293 . 200411953	200311111111111111111111111111111111111	1.19992780 1.19840008 1.19664628 1.19247550	18161618 17501960 16771691 15976901	112289604 110245502 1108150788 04057097	 002159885 .001089081 002382865 045382865	.05206297 .047269397 .03595722	00447199 .00005184 .00006174
G	00000 0000 000 10000	00000 00000 04466	00000 00000 00000 00000	00000	00000 44400 46000	00000 00000 40000	04. 04. 05. 07. 00.	200 200 

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 2.0 Table 1208.2

	·							
C,*	2000 1100 1100 1100 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000 1000	-3.9111613 -3.93161693 -2.6272918 -1.9769775	-1.3303151 -1.1470940 -1.0105578 82146383	641089761 54731904 49904764 46138572		                                             	18594757 16219354 14227407	07183640 04856975 03622339
$c_{L\alpha}$	1412888 064 145928 064 14597 4648 12580 3680	1 6 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4	1111 23.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.00 20.	16.2524287 14.9305104 13.9560379 13.9660379	11. 9628113 11. 15294113 1922580113 752558033	63060277 63576423 46221954 40416871 30295183	. 23806577 . 19202244 . 15673756	03582763 01666305 00897591
$c_{\mathrm{Lh}}^*$	11163 181.89389563 184.8993863 1840.984887 2948383	- 20 - 16 - 37 - 10 - 90 - 67 - 6 - 6 - 6 - 6 - 6 - 6 - 6 - 6 - 6 - 6		2833749 11.9833749 11.7494781 11.5610916	9. 0719788 91812140 79885090 70442481	56707054 51685909 47569149 44182417 38057992	34106460 31314089 29053094	14762339 09698463 07332470
$\bar{c}_{\mathrm{Lh}}$	1.16920207 16919317 16917834 16915759	16901530 16890865 16853868 16802170 16735867	1.16655084 1.16559971 1.16450706 1.16190560	15511089 15096776 14636670 14134111	11775077 10444556 09060361 07658102	004934426 0036734438 003513361 001473439	. 01625799 . 01949105 . 01727149	00185747 .00049873 00039155
G	00000 00000  00000 40040	00000 00000 00000 00000 00000	00000 00000 00000 00000	00000	00000 111100 40000	00000 00000 00000 40000	004 005 005 005 005 005	200 000 000 000 000

2.211 AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, Table 1208.2

$c_{M\alpha}^*$		-7.5061914 -6.00077572 -3.0116528 -13.0155264 -193762	1	90934878 80885092 73185117 67117661			. 22247045 . 19079399 . 16549184 . 11032335	08453943 05677331 04289570
$\overline{c}_{M\alpha}$	1 2 2 0 6 4 4 1 1 2 2 0 6 4 4 1 1 2 2 9 9 3 5 4 1 1 1 2 3 9 9 3 5 6 3 4 1 1 1 1 2 1 2 1 2 1 1 1 1 1 1 1 1 1 1	- 328. 39833 - 206. 27353 - 91. 582623 - 51. 441147	- 22.769646 - 16.684836 - 12.735984 - 8.0933073	1.2.0547460 1.2.3980999 1.1.9183394 1.2998394		25533777 255389795 25256387 25256387 15660166	1 2 8 4 5 9 1 4 1 0 5 8 5 5 0 8 1 0 2 9 8 5 9 7 8	01668830 00867195 00422782
C,*	-81. -80. -840. -87. -895966 -80. -470426 -13. -44132	-10.230141 -8.1810729 -5.4470241 -4.0779172 -3.2548068	-2. 3106580 -2. 3106580 -2. 0141433 -1. 5967769	- 1 . 1138935 96072638 84046835 74340854 596881	. 4 90 2 4 8 2 4		16536895 1016186895 10378179	07531876 04849869 03705195
C _{Mh}	14000093 1.14099115 1.14097484 1.14095200	140079550 1.14067819 1.14087131 1.13970286	1.133808629 1.133804150 1.13584180 1.13298790	1.12555024 11601533 11055504 09846604	08513947 07098390 05642111 04186946 02772811	001436246 00209154 .00882202 .01817928	. 03938201 . 03609659 . 02753363	00324324 .00086297 00065760
c	00000 00000  40000	00000 00000 00000 044000	00000 00000 00000 00000	00000	00000 111166 40806 0000	00000 00000 40000 00000	000 000 000 000 000	8 000 000 000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 2.2 Table 1208.2

	<del></del>							
$c_{\mathrm{L}lpha}^{*}$	140.947725 130.947725 113.6506136 110.238866		-1.3802768 -1.1878057 -1.0440601 84423798	551070 4 551079 055 49852277 457114204 39647230		:	 1463 1285 1285 1285 1885 1885 1885 1885 1885	06381017 04254889 03197136
$ec{c}_{\mathbf{L}oldsymbol{lpha}}$	- 34181.890 - 3797.3765 - 2136.2481 - 949.37262	- 5 5 3 3 . 9 6 6 2 0 1 5 1 1 . 1 6 9 6 8 4 1 1 . 1 6 9 8 5 8 1 1 . 1 6 9 8 5 8 1 1 . 1 6 9 8 6 8 6 8 6 8 6 8 6 8 6 8 6 8 6 8 6	-37.853536 -27.777722 -21.238390 -13.548853 -9.3727649	- 6 6 8 5 5 6 8 6 7 8 6 7 8 8 9 8 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9	11.1.264325044444450044475044475044475044475		20055656 16144672 13170016 05389756	03046248 01418174 00754892
$c_{\rm Lh}^*$	-141.23759 -70.617873 -47.077561 -35.307098 -23.536023	-17.649874 -14.117695 -9.4067042 -7.0496958 -5.6342926	-4.6897048 -4.0141679 -3.5068014 -2.7948273 -2.3184172	-1. 9767169 -1. 5182080 -1. 3566130	593759816 893759816 70367130 55260625		20331683 27751055 25684121 17423752	12893701 08581543 06438860
$\overline{c}_{\mathrm{Lh}}$		122246620 1221221223 12212354 12212354 122175184	 112006 112006 111920 111922 1117 1173 1173 1173 1173 1173 1173 11	1112246016 110947568 1100615858 10253284 58886	08547520 07582421 06575795 05553042	03556383 01767307 00993371	.01346082 .01594488 .01412114	00128644 .00067990 00043523
C	00000 00000 00000 10000	0000 0000 0000 0000 0000 0000	00000 0000 0000 0000 0000	00000	00000 111100 40000 00000	00000 00000 00000 00000	000 000 000 000 000 000	250 000 000 000

2.4 11 Σ AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, Table 1208.2

C**	1111 288. 1128. 1120. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 1140. 11		11111 00000000000000000000000000000000				19407216 16725884 14574223 :.09748092	07506921 04962161 03735068
$\bar{c}_{Mlpha}$	-177090 -4272.6345 -1898.8833 -1068.0704	- 266.92942 - 170.79256 - 75.842737 - 42.610535	- 18.873919 - 13.836334 - 10.567037 - 6.7231480 - 4.6361647	-3.3788575 -2.5639017 -2.6062510 -1.6084329		25342148 1.21760496 1.19028750 1.16900983	10746927 08817602 07163603	01455025 00743542 00353965
C _{Mh}	-70.618486 -35.308324 -23.537861 -17.652323	18 82 84 867 14.0 85 24 867 18.0 18.0 18.0 18.0 18.0 18.0 18.0 18.0	-2.3357607 -1.9965803 -1.7413849 -1.3825637 -1.1415353	96819245 83704681 65132421715 65132427			1.14813595 1.1435196 1.13815862 1.09065714	06481550 04337552 03236456
_ C _{Mh}	1.102156649 1.102116081 1.1021164745 1.10213132	100001880 101030447 1010464447 1001643477 1001033034	1	08778777 08417341 08023350 07149586	0511848777 051186848777 030382866	 0001000688 0001125895 0011125895 001112183	.03049795 .02814223 .02150152 00405807	00202888 .00101579 00067786
G	00000 00000 00 10000	00000	00000 00000 00000 00000	00000	00000 111100 40000	00000 %%%%% 40%000	0000 440 0000 0000 0000	200 200 300 000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 2.4 Table 1208.2

$c_{Llpha}^*$	1200 1300 1300 1130 1130 1100 1100 1100	15.0833941 12.0680584 12.7151449 1.0.0396121	11.3659057 11.1741886 11.0308413 1.83118583	60579079 53647464 48315804 44098960		22657346 20200602 19120803 16701438	14593376 12776021 11262121	05749734 03800379 02870482
$\overline{c}_{L\alpha}$	- 239228 - 439228 - 43247 - 52441 - 1826.6917 - 6111 - 61151	1 2 2 3 5 6 6 0 3 4 5 5 6 6 0 3 4 5 5 6 6 0 3 4 5 5 6 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5 6 7 5	-32.384464 -23.768711 -18.176942 -11.601539	-5.8778049 -4.4813934 -3.5247200 -2.8411120	-1. 4190057 -1. 0749386 -84105958 -67557624	 3444411 2240600 22406000 224060000 224060000000000	17363582 13951911 11374170 04649770	02663555 01231412 00661221
CLh	1124.52355 162.561082 141.506621 131.129160	-15.561819 -12.447800 -8.2947070 -6.2170240	-44.13709994 -3.0949505 -2.0949505 -2.4679817	-1.7481111 -1.5218344 -1.3451590 -1.8032789	83577544 63067596 55947499	4 5 4 9 6 5 0 7 3 8 4 0 2 8 2 6 3 5 7 1 7 4 4 8	27379797 24971825 23054777 15589626	11476600 07706564 05749754
$\bar{c}_{\mathrm{Lh}}$	09921 0992091196 0920891396 0920780933	09200172 09194447 09174587 091146833	09067850 09016762 08958057 08818228	08452587 08229330 07981117 07709660		02660392 011952252 001295661 500702043	.01112201 .01307697 .01157608	00078436 .00063021 00028201
G	00000 00000 00000 100000	00000 00000 00000 044000	00000 00000 00000 00000	00000	00000 111166 00000 40000	00000 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 66666 666666	000 4.00 05.00 000 000	200 200 300 300 300 300 300 300 300 300

2.6 AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, Table 1208.2

ς* C,Μα	-54.623766 -27.312465 -118.208956 -113.657396	1.58310243 1.34662141 12.7489009 12.7489009	-11.8323260 -11.3641003 -11.3608847 -1.1114407	80633573 63941819 58172920 49614727	43576975 355711122 35731122 32730931		17263753 14938179 13066937	06760812 04427652 03354327
$\overline{c}_{M\alpha}$	-14614. -3653.4839 -1623.7234 -913.30719 -405.86708		-116.154180 -11.846535 -9.0509155 -5.7638461 -3.9790371				09242993 007554637 06134945 02100806	01300626 00643320 00317421
$c_{\mathrm{Mh}}^{*}$	-62.261543 -31.130081 -20.752620 -15.563659	-7.790688 -6.8216001 -4.1439092 -3.1039295	-2 0617183 -1.7630084 -1.5384454 -1.22286291	85889030 74390897 65385147 58132650 -47165196	332271177 28815824 25258696	20237272 1.18488414 1.17116080 1.16047362	13439067 12877905 12336089	05708455 03916046 02875961
$\overline{c}_{\mathtt{Mh}}$	07675121 07674596 07673720 07672495	07664094 07657798 07635956 07605438	07518627 07462503 07398041 07244619	06844870 06600434 06329912 06034767	04654788 03881278 03081291 02277026	0007401148 00045472 .00578826 .01120618	.02409166 .02234181 .01708841	00108694 .00088499 00041776
a	00000 00000  00000 40040	0000 0000 0000 0000 0000 0000	000 000 000 000 000 000	00000	0000 11000 4000 0000	00000 00000 40000	04. 005. 005. 000. 000.	200 000 000 000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M Table 1208.2

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$c_{Mlpha}^*$	-51. 504728 -125.752800 -17.169018 -12.877273	1.6. 1.5. 1.5. 1.5. 1.5. 1.5. 1.5. 1.5.	11.7254722 11.2990837 11.0443168		 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4		15581376 13526931 11871301 07965954	06154653 04012481 03048169
$\vec{c}_{Mlpha}$	- 12791.746 - 3197.8886 - 1421.2484 - 799.42433	-199.80830 -1127.85441 -56.788918 -31.916125	-114.150204 -110.379688 -7.9326338 -5.0553303	1.2.5514137 1.1.5250557 1.1.5229599 1.2245674 3741686		1 98720 59 1148429 54 13120 036	08115296 06610589 05366398 01849097	01179878 00562587 00293451
c _{Mh}	155.8000550 118.599268 113.948828 19.298828		11. 58494593 11. 5820203 11. 3810311 1. 0986952 1. 90947051		35831604 30572493 235318611 233338267	18809933 17209988 15937757 14930170	- 12312403 - 11699600 - 11144488 - 072614498	05118396 03559996 02594736
$\overline{c}_{Mh}$	05931095 05930091 05930018 05929075	05922615 05917773 05900977 05877508	05810740 05767570 05717988 05599939	05291773 05291773 04895547 04668027	03602564 03004019 02383844 01759031	000560580 00016423 .00474348 .00902014	.01935740 .01802001 .01379317 00460352	00042228 .00066761 00013376
G	00000 00000  00000 10040	00000 00000 044000	00000 00000 00000 www.an.o	00000	00000 111168	00000 00000 40000 00000	0000 4400 0000	8 HH 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0

2.8 AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = Table 1208.2

$c_{\mathbf{L}\alpha}^{*}$	-37.988311 -18.991481 -12.661349 -9.4963910	1.3.6494960 1.2.5353878 1.9034280 1.903428	-1.09232315 -1.09272315 95812194 77028047			1.19172989 1.16895035 1.15926502 1.13833474	1.12083863 1.00510384 1.00390548	04811509 03157571 02392277
$c_{L\alpha}$	- 22789 203 - 5697 2603 - 2532 0857 - 1424 2746	- 356.02825 - 101.83181 - 56.919483 - 56.919483	-25.268070 -14.190420 -9.0634259 -6.2787842	-4. -3. -6001348 -2.7647528 -2.2313453 -1.5375954	1 1 2 0 6 3 3 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	31528967 21528967 27205235 23758305	- 13756631 - 011019196 - 03683333	02145984 00971385 00539899
$c_{ m Lh}^*$	-101.28530 -50.642230 -33.761018 -25.320271 -16.879243	112 658449 16.7481607 15.0586726 06.7481607 15.0586726	-3.3678141 -2.58841350 -2.5210472 -1.67119586	-1. 24280970 -1. 10186299 - 98716271 - 98716271		38857579 38417479 30176692 85938418	2019986 20887527 19198125	09468064 06409111 04762340
$\bar{c}_{\mathrm{Lh}}$		05620810 05620810 05605317 05588509	05540670 05540670 055474152 05389406	05167641 05032115 04881333 04716297	03936528 03492691 03027476 02552170	01615280 01174099 00763034 00389422	. 000770525 . 00898340 . 00794719	00013436 .00035068 .00003675
G	00000 00000  00000 40040	00000 00000 00000 000000	00000 0000 0000 0000 0000	00000	00000 111100 40000 00000	00000 00000 00000 40000	0000 440 0000 0000 0000	10.00 15.00 20.00

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, M Table 1208.2

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2 AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M

1208.

Table

3.2

M

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift,

Table 1208.2

Cr.	-36.372300 -118.186407 -12.124557 -9.0937188	-4.5478877 -3.6389270 -2.4273774 -1.8220270	-1.2175158 -1.0451524 91608246 73585906		28 80 4 9 7 4 8 28 26 20 2 1 9 1 1 28 26 20 5 1 9 1 9 1 1 9 1 4 9 8 4 0	17810204 16654236 15633049 14716525 127525	111144912 09797800 08685662	0451644 02919638 02210297
$\overline{c}_{Llpha}$	1.20577.33881.2286.33381.1286.0436	- 321.47893 - 91.412462 - 51.400980	1 2 2 . 8 2 1 5 4 6 1 1 2 . 8 2 1 5 4 6 1 8 5 7 5 8 2 1 5 8 5 7 0 1 6 5 7 1 1 8 5 7 1 1 8 5	1.4.1593006 1.2.1757966 1.2.5018297 1.3.0200626 1.3.0300626	1. 1. 0165337 1. 60691663 1. 48898109		1 2 4 8 4 5 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	01960436 00878487 00495426
$^{ m c_{Lh}}$	1 9 9 8 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9	-11. 603107 -9. 8816709 -6. 1858973 -4. 6374508	-3.08789999 -2.6447064 -2.3120465 -1.8457051	-1.3110926 -1.1433717 -1.0125813 -90767787	63656319 55150378 48541299 43277500	325492438 32569634 30116954 28044075	21353086 19334757 17736910 11920063	08727788 05913934 04396208
$\overline{c}_{\mathrm{Lh}}$		 045588 045888 04515486 04515779 0450288 04502888	04463864 04439008 04410441 04342368 04342368	04164189 04055264 03934046 03801330	023173680 02815963 02440618 02056671	001298289 009403117 00606188 00301917	.00648175 .00753757 .00666554	.00004767 .00082036 .00012198
ប	00000 00000 00000 40040	00000 00000 04400 00000	00000 00000 0000 00000	00000	00000 111100 10000 10000	00000 00000 00000 40000	0000 4.00 0000 0000	444 000 000

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C _{Mα}	- 25 - 78 35 10 - 15 - 25 - 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25 10 25	-5.7243348 -4.5801054 -3.0548776 -2.2927018	-1.5313910 -1.3142379 -1.1515809 92434586		1.34796577 1.30885046 1.227840554 235389793	21636221 20141782 18822672 17641167	1.13095405 1.11426290 1.10079621 1.06769622	05225588 03403103	d), Moment, M =
$\overline{c}_{Mlpha}$	10288 11143.11489 1643.00488 15489 15890 1580	-160.72192 -102.84806 -45.688740 -25.683056	-11. -8.35607424 -6.3924603 -4.0780228	- 2 - 2 - 2 - 2 - 2 - 2 - 2 - 2 - 2 - 2		164411971 12236827 10781655	. 06540190 . 05298008 . 04298542 . 01515688	00996963 00445325 00255404	(Continued)
с* Мп	- 46. 419451 - 23. 209385 - 15. 472546 - 11. 604013	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	-1. 5405864 -1. 3184443 -1. 1515760 -91735319 76056503			1 1 5 4 8 3 5 3 7 1 1 4 4 0 0 4 0 8 6 7 1 1 3 1 0 4 4 8 9 9 7 6 7 6 7 6 7 6 7 6 7 6 7 6 7 6 7 6	10567335 09908216 09346769	04277200 02997552 02187262	FLUTTER COEFFIC
$\overline{c}_{Mh}$	03777558 03777503 03776877 03776281	037781196 0377691135 037758514 037458518	03701445 03674137 03642765 03568066	0 3 3 3 4 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	02299639 01917673 01520829 01119774		. 01303728 . 012203728 . 00934878 - 00404314	.00030733 .00026660 .00026660	2 AERODYNAMIC
a	00000 00000  10240	00000 00000 00000 011000	00000 00000  ww.4n.0	00000	00000 11,14%% 000%	00000 00000 00000 0000	04.00 05.00 05.00	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	able 1208.
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M = 3.4

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift,

Table 1208.2

$c_{Llpha}^{*}$	11111111111111111111111111111111111111	-4.3471288 -3.47819999 -2.3199497 -1.7411669	-1.1630608 99817324 87467099 70215063	50602006 39802535 36051031	26504801 23554378 194284677 17913467	1.15526800 1.14554319 1.13685946 1.13685946	10349471 09108149 08085935	04143149 02718295 02054848
$\overline{c}_{L\alpha}$	-18781.2860 -4695.2942 -2086.7783 -1173.7977 -521.66876	-293.42363 -187.77875 -83.438170 -46.919022 -30.015934	-20.834074 -15.297768 -11.704561 -7.4791385 -5.1840964	-3.8005135 -2.8005135 -2.2875424 -1.8477274		26389845 22769177 19875252 .14750040	11445322 09145472 07440456 03078469	01806031 00802261 00457290
$c_{\rm Lh}^*$	-85.788981 -88.891818 -81.445050	-10.721412 -18.5.7161005 -5.7161005 -4.2854611	1. 2. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4.	11. 2130418 93761337 69582908	5 5 9 0 9 5 7 5 8 8 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9		1119924274 11106984274 1110698423	08104943 05491578 04087199
$\overline{c}_{Lh}$	037100881 03710093 03709776 03709334	03706303 03696148 03685130	036534768 03634768 03610153 03554573	03409059 03320080 03221037 03112572	02599218 01998736 01998730 01683770	01060583 00490385 00839046 00839046	.00549340 .00637580 .00563790	.00016601 .00011461 .00016845
G	00000 00000  10000 10000	00000 00000 00000 000000	00000 00000 00000 00000	00000	00000 40000 40000	00000 00000 00000 00000	0000 4400 0000 0000	448 080 

C.*	1 2 4 3 3 5 2 4 6 3 5 6 2 3 5 6 2 5 6 2 5 6 2 5 6 2 5 6 2 5 6 2 5 6 2 5 6 2 5 6 5 6	1 1 1 1 1 1 1 2 2 2 2 2 2 2 2 2 2 2 2 2	11. 14. 14. 14. 15. 16. 16. 17. 18. 18. 18. 18. 18. 18. 18. 18	 552170809 1 4492170809 74581652 7528			1.12146318 1.10618894 1.09386468	04860998 03169960 02399713
$\overline{c}_{M\alpha}$	-9390.6259 -2347.6230 -1043.3750 -586.88474	-146.69771 -93.875278 -41.705019 -23.445491 -14.994005	-10.403146 -7.6350772 -5.8385700 -3.7260885	-1. 8873765 -1. 438873765 -1. 1316653 - 6270872		15160392 12971812 11267465 09915381	05968940 03913454 01398657	00924826 00402773 00237921
C _{Mh}	-42.891398 -21.445421 -14.296638 -10.722154 -7.1474845	-5.3599647 -4.2873051 -2.8566626 -2.1408841 -1.7110553	-1. 2242056 -1. 2190626 -1. 0649910 84879344 70413748	600039641 461231115 3820787 41221115	28526157 24547800 21471260 19041800	11.15.2009.7 11.35.2009.7 11.35.2013.38 10.324.88810	09875484 09210477 086528992	03965428 02774954 02034128
$\overline{c}_{ exttt{Mh}}$	03091884 03091676 03091328 03090842	03087508 03085008 03076339 03064824	03029452 03029452 02981845 02920852	02761479 02664254 02556245 02438228	011883799 011870935 01245556 00916344	00280107 .00011396 .00276166 .00508777	01089141 .01021378 00782769	.00048141 .00012173 .00026110
C	00000 0000 0000 0000 0000 0000 0000	0000 0000 0000 0014 0000 0000	00000 0000 0000 0000 0000	000000000000000000000000000000000000000	00000 111100 40000 40000	00000 00000 40000 0000	0000 0000 0000 0000	20.00 20.00 00.00

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = Table 1208.2

9  $\alpha$ II × Lift, (Continued) COEFFICIENTS FLUTTER AERODYNAMIC 2 208. Φ Tabl

$c_{Mlpha}^*$	1 20 . 98 47 69 113 . 66 19 01 10 . 24 66 31 6 9 69 9 69 9 69 9 9 9 9 9 9 9 9 9 9 9	-5.1240167 -2.0996339 -2.7340613 -2.0515641 -1.6422949	11.3696374 11.0292318 1.82541833 6898836555	559374 4.1.46520 53146816 5324443 532580830 53258459		18772768 17441931 16275783 15239487	1.11333835 1.09925121 1.08788614 1.05901917	04544985 02969287 02242294
$\bar{c}_{\mathtt{M}lpha}$	-8646 -2161.5089 -960.65635 -540.35798	1135.07027 138.435758 138.401706 131.589938	-9.5815052 -7.0328812 -5.3787884 -3.4337476	-1.7407016 -1.3276879 -1.0447603 -84261466 -57991402		14075900 12038854 10449182 09185720	05493486 04431069 03593809	00861952 00367844 00221366
$c_{\mathrm{Mh}}^{*}$	1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130 1130	-4.9856431 -3.9879613 -2.6573625 -1.9916838	-1.3252581 -1.1345373 -99131875 -79039988 -65601853		26743037 23056733 17948123 16137042	14668157 134686157 12484795 11675132		03702074 02582826 01903575
$\overline{c}_{ ext{Mh}}$	02565007 02565007 02564744 02564344		 002513 1 002495317 002424111 002423611	 0022911090 1 021211090 0202121602 1.002038000 012003	01564 013048073 01033986 00760127	00230076 .00013273 .00234656 .00429506	.00919100 .00863313 .00661787	.00058029 .00001319 .00027075
υ	00000 00000 00000 10000	00000 00000 04400 00000	00000 0000 0000 0000 0000	00000	00000 111100 40000 00000	00000 00000 00000 00000	4400 4486 0000	10.00

Table 1208.2 AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 3.6

 $\infty$ က Н × Lift, (Continued) ENTS COEFFICI FLUTTER AERODYNAMIC 2 1208. ø Tabl

3.8

C _M α	113.453344 112.9690456 19.7269078 4869782	-4.8640713 -2.8916061 -2.5952111 -1.9472535	-1.2997696 -1.1149738 97649075 78288043	56232521 44045014 39798115		17621243 16360140 15257998 12281399	1.00629406 1.09321604 0.09321604 0.08266754	02794100 02794100 02104918
$\overline{c}_{M\alpha}$	-8018.1684 -8004.5261 -890.88867 -501.11556	1125. 180. 160626 135. 615167 120. 180899 120. 180899	-8.8880832 -4.9905734 -3.1867628	-1.6165910 97108123 7835800 78355185		13145133 11238748 09748422 08562063	05091477 03324452 01220509	00806658 00338847 00205953
C _{Mh}	-37.314438 -18.657025 -12.437801 -9.3281251 -6.2183196	-4.6632879 -3.7301660 -2.4857042 -1.8631548 -1.4893731	-1. 2399783 -1. 0616647 - 92777999 - 73999460			113902253 1127722453 111841361 0966236	08740536 08082242 07540489	03475959 02415981 01790424
$\overline{c}_{Mh}$	02153378 02153233 02152993 02152655	0 2 2 1 5 0 5 0 5 0 5 0 5 0 5 0 5 0 5 0 5 0 5	02110283 02094818 02077049 02034729	01924105 017815688 01781555 01699534	01313689 00085845 00868319 00638004	000191487 .000013865 .00200933 .00365833		.00062910 00006521 .00025200
G	000000000000000000000000000000000000000	00000 00000 00000 000000	00000 00000 00000 00000	00000 1110000 000000	00000 111100 40000	00000 00000 40000	0000 0000 0000 0000	2000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M Table 1208.2

C 4 П × Lift (Continued) COEFFICIENTS FLUTTER AERODYNAMIC 208 Table

Table 1208.2

C,*	-137.014788 -118.507516 -12.338480 -9.2540029	1.6274906 1.2.6274906 1.8.588685 1.8.5836114	-1.8368584 -1.0603889 -1.74888700 -1.748887700	53426013 44886588 37764146 31711728		                                                      	10012073 08791128 07806626	1.04024224 1.026394224 0198399424
$\overline{C}_{M\alpha}$	-7480.8491 -1870.1988 -831.18955 -467.53629	-116.87067 -74.790798 -33.230460 -18.684376 -11.951656	-8.2944167 -6.0892588 -4.6580698 -2.9751114	-1.5100922 -1.1526496 90775054 73273650	36852315 28032463 17780774 14671403	1.09140951 1.09140951 1.08022360 1.08022360	04746982 03816185 03094291 01150406	00757682 00314489 00191824
c _{Mh}	-35.066454 -11.688526 -8.7662027 -5.8437701	-3.50556444 -3.3361309 -1.7511454 -1.3999404	- 1 . 1656280 - 8 9 9 8 1 1 4 6 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		23796694 20576694 18081653 16104329	1   1   1   1   1   1   1   1   1   1	08268573 07619198 07087814	03279137 02270125 01691033
$\overline{c}_{Mh}$	01826343 01826220 01826016 01825731 - 01825731	01823773 01823505 01817214 01810099	01776756 01776756 01761709	01632169 015749769 01511397 01441890		00161205 .00013738 .00173288 .00314115	.00671865 .00632664 .00485144	.00064510 00011997 .00021843
G	00000 0000 00 10000	00000 00000 00000 011488	00000 00000 00000 00000	00000	00000 111166 40806	00000 00000 40000 00000	0000 0000 0000 0000	200000000000000000000000000000000000000

S 4 H × Lift, (Continued) Ø COEFFICIENT FLUTTER AERODYNAMIC O 1208. Φ Tabl

ς*	21111111111111111111111111111111111111	1.4.1219626 1.2.2977682 1.1.1989700 1.6497071	-1.1007130 -1.94397087 -1.82647893 -1.66214123			1.14542213 1.12552013 1.12553001 1.1475446	08755118 07706358 06861415 04601976	03522856 02320561 01736766
$\overline{c}_{M\alpha}$	1 6 4 2 2 . 6 2 4 4 3 . 1 4 0 1 . 5 6 4 4 8 1 4 0 2 6 9 4 8 8 1 4 1 8 . 3 9 4 4 8	1100034162 164.234162 116.234002 116.244574	-7.1243353 -6.2310993 -4.0023455 -2.5574118	-1.8995172 -99256779 -78223386 -63189175 -43634349		00114117 009149488 07923108 06943052	04067935 03259859 02642590	00656912 00268004 00162218
c _{Mh}	-30.527270 -15.263522 -10.175556 -7.6315350	1 1 1 1 1 1 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 2 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 1 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	-1.0153374 86960414 76021693 60687219	43108438 33294431 33294580 29846697		11753082 10812779 10028833 09371027	0 7 2 9 0 2 3 9 0 6 6 7 0 9 1 1 1 0 6 1 6 8 5 7 2 2 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	02880774 01975813 01487130
$\overline{c}_{Mh}$	 011255 01125 01255 01255 01255 01255 01255 01255 01255 0125 012	012534473 012534473 01259473 01245104	001231221 001231221 001211921 001187339	01123054 01083798 01040153 00992420		. 000109878 . 00018108 . 00183088 . 00281887	. 00473049 . 00446430 . 00342437 - 00305513	.00060963 00018786 .00011978
G	00000 00000 0 10000	00000 00000 00000 044000	00000 00000  www.no	00000 14000 20087	00000 44400 40000	00000 00000 40000	000 4.00 000 000 000	10.00

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M Table 1208.2

0 'n 11 × Lift, (Continued) Ø ICIENT COEFF FLUTTER AERODYNAMIC  $\sim$ 1208 Ф Tabl

$c_{Mlpha}^*$	114. 114. 114. 104. 104. 104. 104. 104. 104. 104. 104. 104. 104. 104. 104. 104. 104. 105. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106. 106.	-3.7134229 -1.99708787 -1.9809105 -1.4860230	99132608 85006446 74416412 59601079 49735615		21681562 19069120 17037031 15408239	1.12948230 1.11990775 1.11161440 1.10433873	0 6 3 6 8 4 9 3 4 1 1 1 0 0 6 1 8 9 8 4 9 3 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	03134721 02071658 01546276
$\bar{c}_{ exttt{M}lpha}$	- 15640 . 1593 - 14410 . 0334 - 626 . 67674 - 352 . 50192 - 156 . 66276	-88.119058 -56.393118 -25.058868 -14.091898	- 1 - 6 - 6 - 6 - 6 - 6 - 6 - 6 - 6 - 6	1 1 1 1 4 30 9 3 4 4 6 6 6 5 9 9 8 6 6 6 6 9 9 8 9 8 9 8 9 8 9 8 9 8	28145761 21461554 16901117 13658988	09481000 08094835 07004247 06131123	03566117 02850829 02310637	00579115 00234973 00139794
C _{Mh}	- 23 · 53 6 29 5 - 94 · 0 24 1 06 1 - 6 · 76 7 98 4 9 - 5 1 1 8 0 9 5	-3.3836678 -1.8040434 -1.3525617	90081707 77163677 67468881 53881596		18717766 16255661 14345485 12826186	10583674 09743190 09038687 08443776	 0.6523331 0.05938331 0.05938336 0.05938336 0.05938336	02575205 01753139 01328377
$\vec{c}_{ ext{Mh}}$	00902407 00902347 00902246 00902106		00884474 00878037 00870640 00853018	00806925 00778771 00747463 00713214	00551730 00460137 00364478 00267223	. 000077662 . 00010071 . 00090388 . 00161588	.00345475 .00326542 .00250513 00158825	.00053362 .00020134 .00003902
G	00000 00000  18840	00000 00000 00000 011000	00000 00000 00000 00000 00000	00000 00011 00000 00000	00000 40000 40000	00000 00000 00000 40000	0000 0000 0000 0000	20.00 20.00 000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M Table 1208.2

0 9 Н × (Continued) COEFFICIENTS FLUTTER AERODYNAMI S 208 Ф Tabl

						·		
C _M α	-24.771911 -12.385988 -8.2573617 -6.1930594	-3.0966605 -2.4774068 -1.6517859 -1.2390293	82637921 70852407 62015834 49650619	1.35535044 1.27707894 1.284978694 1.284978650	17953485 15764039 14061068 12696975	1.10641474 1.09844574 1.09156650 1.08555488	1.06395607 1.05653064 1.05056185	02572239 01706858 01271124
$\overline{c}_{M\alpha}$	14553.8062 -11138.4480 -505.97422 -284.60840	-71.148514 -45.533330 -20.234389 -11.379769	13. 7126965 13. 7126965 11. 8414577 11. 8169131	92490270 70718743 55796585 45127143	22881404 17469661 13771839 09199002	07732528 06598033 05703109 04984943	02871166 02287657 01853799	00467674 00190683 00109771
C _M h	- 22 • 136551 - 11 • 068229 - 7 • 37876829 - 5 • 5340224 - 3 • 6892458	- 2 . 7668269 - 1 . 4753119 - 1 . 1062166	73697190 63141069 55820414 44123215	21418747 27440018 24341075 21858523	11.15459232 1.113453923 1.11902401 0.0663722	08882629 07546242 .0070546242 .007044425	05395520 04877545 04461288	02131889 01437536 01095572
Смь	00512410 00512376 00512319 00512319			00458335 00442381 00424636 00405218	00313573 008615873 00807101 00151701		. 00200404 . 00189799 . 00145639	.00038180 00017325 00004574
G	00000 00000 00000 118 W4 0	00000 00000 011000 00000	00000 0000 0000 0000 0000	00000	00000 111100 40000	00000 00000 40000	0000 4487 0000	440 000 

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = Table 1208.2

$c_{L\alpha}^*$	111 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 110.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.00 100.0	-2.2474559 -1.1980118 -1.1987834 89920163	519968396 51413457 44998803 36021925	255772498 2008745498 18100644	13001093 11410784 10174498 09185122	07697329 07122214 06626882 06195079	 0.4465 0.0412532 0.0469923 0.0469923 0.0469923 0.0469923 0.0469	01868576 01242356 00926790
$c_{\mathrm{L}lpha}$	-7660.5331 -1915.1308 -851.16743 -478.78025	-119.69261 -76.602097 -34.043567 -19.148086	-8.5084721 -6.2502768 -4.7846276 -3.0610418	-1. 193935 -1. 1939337 -1. 76316011 5292429337 -1. 5293433	38827954 23426530 23426579 18955375	- 13146468 - 11200075 - 09659204 - 08418875	04764961 03776482 03062657 01328501	00765377 00332072 00187305
CLh	-37.520975 -18.760459 -12.506941 -9.3801720 -6.2533842	-4.6899712 -3.7519082 -2.5011130 -1.8756681	- 1 1	53472879 46756208 1.3734520186 1.37345209	23574250 23505083 20584934 118490602 16779980	 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1111. 1	0 9 2 2 2 2 4 3 5 0 8 5 9 8 9 0 8 9 9 8 9 9 8 9 9 8 9 9 8 9 9 9 9	03688026 02466393 01859777
$\overline{c}_{Lh}$	 000388881  00388861  00388861 88878 888785		000377128 000378060 000378689 00367037			000108160 00076659 00046957 00019612	.00068610 .00078930 .00069712	.00014615 00009738 00004368
a	00000 0000 00 14884	00000	00000 00000 0000 0000 0000	00000	00000 111100 40000	00000 00000 00000 00000	004 005 005 005 005 005	2000 2000 2000 2000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, Table 1208.2

C _M α	-21.235854 -10.617947 -7.0786538 -5.3090139	-2.6545876 -2.1237184 -1.4159240 -1.0620601	1.70826178 1.60720423 1.53142686 1.42537547	30427319 23708572 21359642 17839642	1   1   1   1   1   1   1   1   1   1	1.09045773 1.08363359 1.07775421 06225795	05433839 04810001 04309066 02881786	02183512 01451948 01081079
$\overline{c}_{\mathbf{M}\alpha}$	1.3830 1.4825.58840 1.239.38881 1.06.39339	- 59 . 8449 92 - 17 . 020 473 - 9 . 57273 67	- 1 4 2 5 2 9 4 1 6 1 2 3 9 1 0 3 6 0 1 1 0 6 1 1 6 5 2 9 2 6 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4	77894601 1 59580019 1 47026268 1 28049287 2636212	1 1 1 9 3 2 8 4 8 3 8 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9	06542978 05580948 04820880 04210072	02410158 01916300 01552685	00392199 00161728 00091214
C _M h	-18.760478 -9.3802103 -6.2534416 -4.6900477 -3.1266347	- 2 3 4 4 9 0 9 1 1	6 2 2 4 7 8 0 6 9 9 7 4 2 7 6 1 8 9 7 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8	256673072 23506923 20686076 18587275	113180583 111489446 110175724 109127861	 069740873  06475526 05046477	04603968 04143991 03775048	01822434 01222710 00932540
$\overline{c}_{Mh}$	00319049 00319088 00318993 00318943	00318351 00318351 00316251 00316240	00312739 00310473 003018473 00301666				. 00126385 . 00119840 . 00091967 0064930	
σ	00000 0000 00000 10000	00000 00000 00000 00000000000000000000	00000 00000 00000 ww 4 n 0	00000	00000 111100 40000	00000 00000 40000	000 440 000 000 000	8 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 7.0 Table 1208.2

	·							
ς.* Στα	115.25986 15.35936 13.9446854 12.62961 13.9446854	-11.9723946 -11.5779468 -11.0520365 78910278		1. 22599359 1. 17605280 1. 15859158	09976729 09976729 08889107 08018783	06710843 067010843 05771488 05393338 04630217	0400565 035922666 03283966	01625068 01081491 00807034
$c_{Llpha}$	-6621.8379 -16655.4878 -735.75784 -413.86284 -183.93784	- 10 3 . 46 4 0 9 . 66 . 21 6 5 4 1 1 6 3 5 2 4 4 8 1 1 6 . 5 5 2 4 4 8 1 1 6 . 5 5 2 4 4 8 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1 6 1	- 7 . 3554611 - 5 . 4034538 - 4 . 1365891 - 8 . 6466381	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		09708306 08372288 07296297 05371414	04123780 03266044 02647977 01154649	00662174 00288284 00162027
$c_{\rm Lh}^*$	-32.591856 -16.295909 -10.863918 -8.1479163 -5.4319018	-4.0738818 -3.2590597 -2.1726007 -1.6293397	-1.0860166 93075224 81429431 65121412 5424584		231239217 203065017 117933490 146116855	12396450 12354393 11464286 10696011	08042842 07173372 06480121 04322931	03215638 02148216 01619398
$\overline{c}_{\mathrm{Lh}}$	1   1   1   1   1   1   1   1   1   1				00179073 00158927 00137651 00115726	00071868 00050866 00031050 00012795	.00046221 .00053148 .00046936	00010615 00007421 00004383
a	00000 00000 00000 10000	00000	00000 00000 00000 00000	00000	00000 44000 00000	00000 666000 666000000000000000000000	0000 0000 0000 0000 0000	8 HH 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0

8.0 11 AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, Table 1208.2

C _M α	1111 160. 100. 100. 100. 100. 100. 100.	-2.3226728 -1.8581702 -1.2388540 92921782 43453	61962506 53118827 46487112 37205151		1.13377740 1.11727882 1.10444646 1.09417370	1 1 1 0 7 8 7 2 6 5 4 4 9 8 7 1 1 1 0 6 3 1 5 2 4 9 8 8 7 1 1 2 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 2 8 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4 6 7 1 3 4	04727703 04188961 03756687 02510735	01898278 01263680 00941400
$\overline{c}_{Mlpha}$	-3310.9181 -827.72805 -367.87805 -206.93055	-51.731177 -33.107253 -14.713256 -8.2753615 -5.2955400	-3.6768759 -2.7008770 -2.0674209 -1.3224895	67388643 51556076 40703081 32941743	16748864 12803413 10103513 08176863	05677602 04841635 04180496 03648705	02080407 01651786 01338261	00337881 00140922 00078639
C,*	-16.895922 -8.1479422 -45.0739327 -2.7159127	11111 11000000000000000000000000000000	54281925 46515788 40689708 32529764 27086173	23195007 18000875 16180694 13447698	1.10027967 1.08889010 1.07979909		0 4 0 1 6 7 5 5 0 3 6 0 5 1 0 3 0 3 2 7 5 2 3 3 3	01592726 01065718 00811917
^C _{Mh}							.00084748 .00080421 .00061721 00044679	
G	00000 00000 	00000	00000	00000	00000 1111000 40000	00000 00000 00000 00000	0000 4400 	200 000 000 000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 8.0 Table 1208.2

0 G Ш × Lift nued) (Conti ICIENTS COEFFI FLUTTER AERODYNAMIC  $\sim$  $\infty$ 1208 **Table** 

$c_{Mlpha}^*$	116.515121 18.5575700 14.1288035	-2.0644388 -1.6515733 -1.1011002 82587899	55068793 41312193 33060513	20690817 18402182 16572051 13828469	1.11870095 1.104019095 1.09259968 1.08345944	06972267 06442132 05986341 05589897	04186170 03711604 03331036	01679778 01118908 00834151
$\overline{c}_{\mathbf{M}lpha}$	- 2918.6699 - 729.66646 - 324.29545 - 1182.41560	1 1 2 5 5 6 5 6 5 6 6 6 6 6 6 6 6 6 6 6 6 6	-3.2416294 -2.3812565 -1.8228447 -1.1661615		14791266 11310690 08927962 07226796	05018091 04878513 03693199 03282104	01832048 01453161 01177277	00296953 00125074 00069455
C _{Mh}	-14.065183 -7.8065780 -4.8043705 -3.6032623 -2.4021452	1. 8015778 -1. 96074627 -72048233 -57630660	48017516 41149780 35997946 28782979	2005 2005 2005 2005 2005 2005 2005 2005	10192884 08898470 07892437 07089050	05889911 05432341 05042804 04707839	03563338 03191800 02894231 01917071	01414961 00945353 00719058
$\overline{c}_{Mh}$	001148281 001148281 00148254 00148254 00148232	00148075 00147957 00147957 00146978	001145354 001144303 001143095 0011402117	001132684 0011226880 001122957 00117348	00090847 00075769 00059982 00043886	000012355 . 00002326 . 000015828 . 00027860	.00059560.00059560.000055549	.00014332 00007687 00006072
U	00000 00000  00000 148844	00000 00000 04400 00000	00000 00000 0000 0000 0000	00000	00000 111488  40008	00000 00000 00000 00000	0000 0000 0000 0000 0000	20.00

0 တ Σ AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, Table 1208.2

	Υ							
$c_{L\alpha}^*$	11.1 12.1 13.1 13.1 13.1 13.1 13.1 13.1 13.1 13.1 14.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1 15.1	11. 5831186 1.848651106 1.6333306 5069338		1.168121875 1.14818864180 1.144108911 1.12705285 1.10601110	0 9 0 9 9 2 5 1 0 7 9 9 9 8 9 8 1 5 1 5 1 5 1 5 1 5 1 5 1 5 1 5 1 5 1	1 0 5 3 4 5 8 0 0 0 0 4 5 9 4 0 8 7 5 1 1 0 4 5 9 1 8 8 9 1 0 9 9 1 0 9 9 9 9 9 9 9 9 9 9 9 9 9	03219097 02857644 02567209	01290556 00859658 00642150
$c_{L\alpha}$	11.1 11.1 11.2 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3 11.3	11182. 182. 182. 182. 183. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193. 193.	1   1   1   1   1   1   1   1   1   1	-1.0647980 64377072 52128951 -36176327	- 26560107 - 16046557 - 12990990	0 900 158 77 0 768 1641 0 6624156 0 5771963	. 03256745 - 02577195 - 02088797 - 00916769	 0005225 1288775 1288775
c _{Lh}	- 25 • 851587 - 16 • 4628726 - 4 • 3085602		8 6 1 5 2 7 3 7 3 7 3 6 1 5 2 7 3 7 7 7 8 1 5 2 7 8 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1 8 1		18388878 116074224 114274032 112834472	1.009850902 1.009850902 1.009143362 1.008531768	06409507 05709773 05151221	02562473 01710097 01287832
$\bar{c}_{\mathrm{Lh}}$		0001299120 0001299042 000128773 00128773	001237333 00125629 00125830 00123927	001118935 001115877 00112468 00108728			.00023819 .00027374 .00024172	.00005952 00004379 00003312
U	000000000000000000000000000000000000000	00000	00000 00000 00000 00000	00000	00000 111100 40000	00000 00000 00000 00000	0000 4400 0000 0000 0000	217 200 300 300 300 300 300 300 300 300 300

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Lift, M Table 1208.2

			÷					
$c_{Mlpha}^{*}$	-14.862495 -4.9541769 -3.7156405	11.8578471 1.99089971 1.74321375 59461095			10669360 09346970 08318441 07495275 06821168	06258613 05781672 05371857 05015651	1.03757177 1.03332836 1.02992688 1.01998460	01506859 01004089 00749091
$\overline{c}_{Mlpha}$	-2611.2711 -652.81704 -290.14036 -163.20352	-40.800145 -26.111740 -11.604675 -6.5272036 -4.1770620	-23. 1306840 -11.63106860 -12.0435624 -2435624	53199991 3215109917 26028340	13250459 10134837 08001348 06477576	04497953 03834571 03309301 02886344	01637838 01298185 01051685 00450685	00265003 00112525 00062371
C _{Mh}	112.9285790 14.4628855 13.2314234 13.2314234	-1. 6156729 -1. 86162306 -64616109 -51687151		16422317 16408317 14308312 12867273	0 9158410 0 7998849 0 7097498 0 6377460	0 5 3 0 1 7 1 7 1 7 1 7 1 7 1 7 1 7 1 7 1 7 1	03202440 02864418 02593778 01720006	01273119 00849848 00645347
$\overline{c}_{Mh}$	00107713 00107706 00107694 00107677	00107563 00107478 00107181 00106767		1000996999999999999999999999999999999		00008949 .00001731 .00011558 .00020319	.00043439 .00041259 .00031667	.00010804 00005919 00005147
ប	0000 0000 10000 0000 0000 0000	00000 00000 00000 044000	00000 0000 0000 0000 0000	00000 00000 000000 000000	00000 44466 40806	00000 00000 40000 0000	0000 4400 0000 0000	2000 2000 000

AERODYNAMIC FLUTTER COEFFICIENTS (Continued), Moment, M = 10.0 Table 1208.2

0 П × Lift, (Continued) COEFFICIENTS FLUTTER AERODYNAMIC  $\sim$ 1208 Table

			23083	440M	00004	04050	03 4 00 03	200
	rv 4 03 03 00	60000	₩ 00 0 0 0	0341-00	n a a a a	7000M	2000	45-4
1	W 65 L 400	00004	F ∞ 03 03 ∞.	44F0W	HM100	0 H 8 4 L	917-40	070
ا ج	4 03 00 03 m	W F R B O	40000	<b>ひりりよ</b>	02440	ωτυ <i>03 ο</i> ν ον	00 4 C M	000
C,*	00405	80480	44000	<b>ぷ</b> 4 5 4 9	00000	L4L40	୦ଝ નન	41.6
၁	49864	888 531 555 055	50.760	NO OUG	0450H	αασωσ	4018	200
	2000 2000 2000	0 W O F 4	Naur us	900M4	00700	υυ44ω	てるるよ	HOO
1	10	5000	410 10 03 03	ਜਜਜਜ	00000	00000	0000	000
	40400	ਜਦਾ • • •					• • • •	1111
1	11111	1111	1111	1111	11111	11111	1111	111
]								
	02-240	NW400	M000M	H0H0H	45-400	4400W	4 ® सस	80.03
	04969	00000	00200	Or BUNG	W W 03 4 W	80084	<b>℃</b> ⊘ ← cv ′	1000
	46400	4WF-40	60000	<b>64404</b>	950m64	0000m	2000	MWA
احا	45440	04000	W040W	0W4034	4 5 1 0 1	Φ ι α α 4 Γ	4000	0000
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